



No 2007 – 05  
March

## Trade Costs and the Home Market Effect

---

Matthieu Crozet & Federico Trionfetti

# Trade Costs and the Home Market Effect

---

Matthieu Crozet  
Federico Trionfetti

No 2007 - 05  
March

## Contents

<b>1. INTRODUCTION</b>	<b>10</b>
<b>2. RELATIONSHIP TO THE LITERATURE</b>	<b>11</b>
<b>3. THE MODEL</b>	<b>12</b>
3.1. Finite Elasticities ( $1 < \sigma_A = \sigma_M < \infty$ ).	15
3.2. Perfect substitutability in the CRS-PC good ( $\sigma_A = \infty$ ).	17
3.3. Theoretical conclusion.	19
<b>4. EMPIRICAL IMPLEMENTATION.</b>	<b>19</b>
4.1. Data	20
4.2. Estimations	21
<b>5. CONCLUSION.</b>	<b>27</b>
<b>6. APPENDIX</b>	<b>30</b>
6.1. Finite Elasticities: results from numerical methods	30
6.2. Perfect substitutability in the CRS-PC good: analytical results	31
6.3. Data appendix	34

## TRADE COSTS AND THE HOME MARKET EFFECT

### NON TECHNICAL SUMMARY

Models characterized by the presence of increasing returns, monopolistic competition, and trade costs typically give rise to a more-than-proportional relationship between a country's share of world production of a good and its share of world demand for the same good. This relation between country's market size and industrial specialization has become known as the Home Market Effect after Krugman (1980) and Helpman and Krugman (1985).

This relationship has a central place in theoretical discussions about international trade. Indeed, it suggests that larger countries should specialize in increasing return to scale industries; on the contrary, countries in remote location should specialize in constant return to scale industries and consequently have lower income and long term economic growth. Moreover, the Home Market Effect is the main engine of the agglomeration processes emphasized by the new economic geography models (Krugman, 1991). This literature shows that trade openness may influence capital flows and accumulation, and thus contribute to widen international inequalities. Testing for the existence of the Home Market Effect is a first step toward an empirical validation of the new economic geography framework. Finally, the HME is so closely associated to the presence of increasing returns to scale (IRS) and monopolistic competition (MC) that it has been used as a discriminating criterion in a novel approach to testing trade theory pioneered by Davis and Weinstein (1999, 2003).

However, Davis (1998) shed doubt on the theoretical robustness of this relationship. Indeed, one pervasive assumption in the literature to date is that of the presence of an "outside good", freely traded and produced under constant returns to scale (CRS) and perfect competition (PC); Davis (1998) shows that in the absence of an outside good (i.e. assuming trade costs in all sectors), the HME *may* disappear. The assumption of the existence of a freely traded CRS-PC good is as much convenient as it is at odds with reality. As noted by Head and Mayer (2004, p. 2634) when discussing this issue in their comprehensive account of the literature: "... the CRS sector probably does not have zero trade costs or the ability to absorb all trade imbalances." The pervasive use of the outside good assumption and its inconsistency with reality raise the question of what are the consequences of its removal on the HME. The present paper investigates this question.

We eliminate the outside good from the main model used in the empirical literature on the HME. This model, in two different variants, has been used in Davis and Weinstein (1999, 2003) and in Head and Ries (2001). We find that, in general, the HME survives when the outside good is absent but its average magnitude is attenuated. More interestingly, both variants of the model predict a non-linear relationship between the production share and the demand share. The non-linearity is characterized by a weak HME (or absence thereof) when countries' demand shares are not too different from the world average. The HME becomes stronger when countries' demand share become more dissimilar.

In order to put this result to empirical verification, we use the trade and production database developed by CEPII (see Mayer and Zignago, 2005). Because of numerous missing values, we finally use a restricted balanced data set for 25 countries and 25 industries, over the period 1990-1996. Nevertheless, the set of countries remains very large; in 1996, it accounted for more than 78% of world GDP and about 70% of world trade.

In a first step we estimate a polynomial equation relating countries' relative demand for each

good (i.e. the demand deviation from the sample average), to the corresponding production deviation. Demand deviations are computed as the sum of sectoral expenditures in all locations weighted by accessibility to consumers. We use Head and Ries (2001)'s measure of trade freeness to weight countries demand. The results strongly support the theoretical predictions: we observe a significant Home Market Effect on average, and a smoothly non-linear relationship between demand deviations and production deviations. We perform also several robustness checks. For instance, we follow Davis and Weinstein (2003) using a two step procedure to estimate the freeness of trade. First, we perform, for each industry, a gravity estimation using bilateral trade data; then the coefficients of this regression are used to compute the bilateral trade barrier. The results remain barely unchanged: the HME is smaller when absolute value of demand deviations from the average are small.

In a second step, we go further by estimating the critical value of demand deviations beyond which the HME has a stronger influence on specializations. We thus perform with maximum-Wald tests for each industry. We show that the relation between demand and production deviations is strictly linear for two industries only: Wearing apparel and rubber products.

One industry (Footwear) shows a non-linear shape that is clearly consistent with the constant-return to scale and perfect competition paradigm. Finally, for eleven industries (out of 25), we observe a "piecewise" HME: the relationship between output and demand deviations is proportional for medium-sized demand deviations, and more than proportional for very large and very low demand deviations. For these eleven industries (that account all together for more than 62% manufacturing production in our sample) the HME matters only for one fifth of the observations, and HME is of negligible importance or totally absent for the remaining observations.

**ABSTRACT**

Most of the theoretical and empirical studies on the Home Market Effect (HME) assume the existence of an “outside good” that absorbs all trade imbalances and equalizes wages. We study the consequences on the HME of removing this assumption. The HME is attenuated and, more interestingly, it becomes non-linear. The non-linearity implies that the HME is more important for very large and very small countries than for medium size countries. The empirical investigation conducted on a database comprising 25 industries, 25 countries, and 7 years confirms the presence of the HME and of its non-linear shape.

*JEL* classification: F1, R12.

Key words: International Trade, Test of Trade Theories, Economic Geography.

## COÛTS DE TRANSPORT ET EFFET DE TAILLE DE MARCHÉ

### RÉSUMÉ NON TECHNIQUE

Les modèles issus des nouvelles théories du commerce international, qui prennent en considération les rendements d'échelle croissants et les coûts de transport, montrent qu'il existe une relation plus que proportionnelle entre la taille de la production d'un bien dans un pays et la taille de la demande du pays pour ce bien. En d'autres termes, les grands pays auraient l'avantage de pouvoir s'appuyer sur leur vaste marché intérieur pour développer des spécialisations dans les secteurs à rendements croissants. C'est ce que Krugman (1980) a appelé l'*effet de taille de marché* (Home Market Effect). Cette relation théorique est importante pour comprendre l'évolution des spécialisations industrielles et la structure du commerce mondial : si les grands pays ont un avantage naturel dans les productions de biens à rendements croissants, cela signifie, en corollaire, que les pays localisés en périphérie des grands marchés risquent de se trouver confinés dans des spécialisations industrielles plus traditionnelles et moins dynamiques à long terme. Par ailleurs, l'effet du marché domestique est le moteur essentiel des dynamiques d'agglomération décrites par les modèles de la nouvelle économie géographique (Krugman, 1991). Ces modèles suggèrent que l'ouverture commerciale peut influencer les flux de facteurs de production et accentuer ainsi les divergences internationales des structures de production et des potentiels de croissance. Enfin, cet effet du marché domestique est associé de façon tellement étroite à la présence des rendements croissants et à la concurrence monopolistique que Davis et Weinstein (1999, 2003) l'ont utilisé comme test discriminant des théories du commerce : les secteurs qui font ressortir un effet du marché domestique seraient en concurrence imparfaite et devraient être étudiés à l'aide des nouvelles théories du commerce ; pour les autres, les théories traditionnelles fondées sur les avantages comparatifs conserveraient toute leur pertinence.

Cependant, Davis (1998) a remis en question la robustesse théorique de l'effet du marché domestique. En effet, la plupart des modèles qui mettent en évidence cet effet font l'hypothèse qu'il existe, parmi les biens échangés, un "bien extérieur" en concurrence parfaite et dont l'échange ne supporte aucun coût de transport. Or, Davis montre qu'en revenant sur cette hypothèse, c'est-à-dire en supposant qu'il existe des coûts de transport dans tous les secteurs manufacturés, l'effet du marché domestique peut disparaître. Ce résultat théorique est évidemment important dans la mesure où l'hypothèse d'un bien échangeable sans coût de transport est aussi commode d'un point de vue théorique, que contraire à la réalité la plus évidente.

Dans cet article, nous étudions en détail les conséquences sur l'effet du marché domestique de l'abandon de l'hypothèse de bien extérieur (nous supposons qu'il y a des coûts de transport dans tous les secteurs). Nous proposons deux variantes d'un modèle proche de ceux présentés par Davis (1998) et Head et Ries (2001). Dans les deux cas, l'effet du marché domestique résiste à l'abandon de l'hypothèse de bien extérieur, mais la relation entre la taille de la demande et celle de la production est atténuée et, surtout, elle devient non-linéaire. En effet, l'effet du marché domestique est plus faible (voire absent) quand la différence de taille entre les pays est relativement faible ; il devient plus fort au fur et à mesure que cette différence augmente. En d'autres termes, notre modèle montre que la différence de taille des pays ne peut affecter significativement les spécialisations et les échanges commerciaux qu'à condition que cette différence soit suffisamment prononcée. Ce résultat vient donc limiter les craintes de voir l'ouverture commerciale favoriser les grands pays au détriment des

petits. Ces conclusions du modèle sont ensuite testées empiriquement en utilisant la base de données Trade- Prod, développée par le CEPII. Nous retenons les données de la période 1990-1996 pour 25 secteurs et pour 25 pays (qui totalisent, en 1996, 78 % du PIB mondial et 70 % du commerce mondial). Dans un premier temps, nous estimons une équation non-linéaire associant la taille de la production à celle de la demande correspondante. Les résultats économétriques confirment clairement la pertinence des conclusions théoriques : un effet du marché domestique s'observe bien, en moyenne, sur l'ensemble de l'échantillon, mais surtout, nous mettons en évidence le fait que cette relation est non-linéaire. Dans un second temps, nous allons plus loin en cherchant, pour chaque secteur, les points de rupture dans l'effet du marché domestique, c'est-à-dire les valeurs critiques au delà desquelles l'influence de la taille de la demande sur les spécialisations devient significativement plus forte. Nous montrons que la relation entre taille de la demande et taille de la production est strictement linéaire pour seulement deux secteurs : les produits d'habillement et le caoutchouc. Seule l'industrie de la chaussure donne des résultats conformes aux secteurs à rendements constants. Enfin, pour onze secteurs (sur 25), nous observons un effet du marché domestique en "ligne brisée" : le rapport entre la production et la demande est proportionnel pour les tailles moyennes et plus que proportionnel pour les tailles très grandes ou très faibles. Par ailleurs, pour ces onze secteurs (qui représentent plus de 62 % de la production dans notre échantillon), l'effet du marché domestique n'a aucune influence sur les spécialisations de la grande majorité des pays ; il n'affecte réellement qu'un cinquième des observations. Au total, notre travail confirme que l'effet du marché domestique contribue à modéliser la structure du commerce mondial, mais il indique que cet effet n'a d'influence véritablement observable que sur un nombre limité de pays et de secteurs.

## RÉSUMÉ

L'introduction de rendements d'échelle croissants dans les théories du commerce conduit à mettre en évidence une relation plus que proportionnelle entre la taille relative du marché intérieur et la spécialisation industrielle. C'est ce que Krugman (1980) appelle l'effet de taille de marché (en anglais, *Home Market Effect* ou HME). C'est une relation importante dans la mesure où elle permet d'expliquer certains processus de structuration des échanges mondiaux, mais aussi la répartition des gains à l'échange et les effets d'agglomération spatiales des activités. Cependant, la plupart du temps, ce type de modèle suppose l'existence d'un «bien extérieur», en concurrence parfaite et librement échangeable. Dans cet article, nous étudions les conséquences de l'abandon de cette hypothèse bien peu réaliste sur l'effet du marché domestique. On montre que le HME est atténué, mais surtout qu'il devient non-linéaire. La non-linéarité implique que le HME compte davantage pour les pays très grands et très petits que pour des pays de taille moyenne. Une analyse empirique, conduite sur une base de données comportant 25 industries, 25 pays, et 7 années confirme les conclusions du modèle.

*JEL* classification : F1, R12.

Mots Clefs : Commerce international, Tests empiriques des théories du commerce, Economie Géographique.

## TRADE COSTS AND THE HOME MARKET EFFECT<sup>1</sup>

*Matthieu CROZET*<sup>2</sup>  
*Federico TRIONFETTI*<sup>3</sup>

### 1. INTRODUCTION

Models characterized by the presence of increasing returns, monopolistic competition, and trade costs typically give rise to what has become known as the Home Market Effect after Krugman (1980) and Helpmand and Krugman (1985). The Home Market Effect (HME) is defined as a more-than-proportional relationship between a country's share of world production of a good and its share of world demand for the same good. Thus, a country whose share of world demand for a good is larger than average will have - ceteris paribus - a more than proportionally larger-than-average share of world production of that good.<sup>4</sup> The HME is so closely associated to the presence of increasing returns to scale (IRS) and monopolistic competition (MC) that it has been used as a discriminating criterion in a novel approach to testing trade theory pioneered by Davis and Weinstein (1999, 2003). Since then, as it will be discussed below, further theoretical and empirical research has explored the robustness of the HME and has searched for additional discriminating criteria. One pervasive assumption in the literature to date is that of the presence of a good freely traded and produced under constant returns to scale (CRS) and perfect competition (PC). This good is often referred to as the "outside good". The presence of the outside good serves two purposes. First, it guarantees factor price equalization, thereby improving grandly the mathematical tractability of models. Second, it offsets all trade imbalances in the IRS-MC good, thereby permitting international specialization. A different way of seeing the second point is that the outside good accommodates all changes in labor demand caused by the expansion or contraction of the IRS-MC sector, thereby allowing for the reaction of production to demand in the latter sector to be more than proportional. The assumption of the existence of a freely traded CRS-PC good is as much convenient as it is at odds with reality. As noted by Head and Mayer (2004, p. 2634) when discussing this issue in their comprehensive account of the literature: "... the CRS sector probably does not have zero trade costs or the ability to absorb all trade imbalances." The pervasive use of the outside good assumption and its inconsistency with reality raise the question of what are the consequences of its removal on the HME. The present

---

<sup>1</sup>We are grateful to Thierry Mayer and Soledad Zignago for having provided us with data. We thank Tommaso Mancini for helpful advices and Rosen Marinov for excellent research assistance. We are grateful to anonymous referees for their comments, which proved very useful in clarifying and improving the paper. Authors are grateful, respectively, to the ACI - *Dynamiques de concentration des activités économiques dans l'espace mondial* and to the Swiss National Funds for financial support.

<sup>2</sup>Université de Reims, CEPII & Centre d'économie de la Sorbonne (matthieu.crozet@cepii.fr).

<sup>3</sup>GREQAM, Université de la Méditerranée; Graduate Institute of International Studies; and CEPII (Federico.Trionfetti@univmed.fr).

<sup>4</sup>An alternative definition of the HME often used in the literature is that a country whose share of demand for a good is larger than average will be a net exporter of that good. In this paper we will always refer to the HME as the more than proportional relationship between the share of production and the share of demand.

paper investigates this question.

We eliminate the outside good from the main model used in the empirical literature on the HME. This model, in two different variants, has been used in Davis and Weinstein (1999, 2003) and in Head and Ries (2001). We find that, in general, the HME survives when the outside good is absent but its average magnitude is attenuated. More interestingly, both variants of the model predict a non-linear relationship between the production share and the demand share. The non-linearity is characterized by a weak HME (or absence thereof) when countries' demand shares are not too different from the world average. The HME becomes stronger when countries' demand share become more dissimilar. We put this result to empirical verification on a data set containing 25 countries, 25 industries and 7 years. The non-linearity predicted by both models is strongly present in the data. One interesting consequence of the non-linearity is that the HME is more important for countries whose magnitude of demand shares is very different from the average than for countries whose demand shares are closer to the average. Performing a test of structural change with unknown breakpoints shows indeed that the HME matters only for the largest and smallest demand share, accounting for about one fifth of the observations in the sample. For the remaining observations, the HME is of negligible importance or totally absent.

As for the CRS-PC sectors, the model shows that the less-than-proportional relationship between share of production and share of demand survives the absence of an outside good. This result, combined with the more than proportional relationship between share of production and share of demand in the IRS-MC industry, confirms the theoretical validity of the HME as a discriminating criterion to test trade theories even in the absence of an outside good. The empirical investigation in this paper finds little evidence of sectors exhibiting a less than proportional relationship.

The remainder of the paper is as follows. Section 2 discusses the related literature, section 3 presents the model and the theoretical results, section 4 presents the empirical results, and section 5 concludes. The appendix discusses the numerical method, derives further mathematical results, and describes the data in further detail.

## 2. RELATIONSHIP TO THE LITERATURE

In the model structures of Krugman (1980) and Helpman and Krugman (1985) the HME is a feature of the IRS-MC sectors and not of the CRS-PC sectors. Recent empirical research has used this discriminating criterion to test the empirical merits of competing trade theories. In their seminal contributions, Davis and Weinstein (1999, 2003) find stronger evidence of the HME at the regional level (Davis and Weinstein 1999) than at the international level (Davis and Weinstein 2003). Head and Ries (2001) consider a model where, in addition to the outside good and the IRS-MC good, there is also a CRS-PC good characterized by National Product Differentiation à la Armington (1969), henceforth referred to as CRS-PC-A. The CRS-PC-A good is produced under constant returns to scale and perfect competition but consumers perceive national product differently from foreign product. In such model, the IRS-MC good exhibits the HME while the CRS-PC-A good does not. Using data for U.S. and Canadian manufacturing they find evidence in support of both the IRS-MC and the CRS-PC-A market structure depending on whether within or between variations are considered.

Both Davis and Weinstein (1999 and 2003) and Head and Ries (2001) assume the existence of an outside good. Indeed, the very first investigation on the consequences of the absence of the outside good has been pioneered by Davis (1998). He eliminates the outside good

from the model in Helpman and Krugman (1985) by introducing trade costs in the CRS-PC good. His theoretical paper has elegantly shown that in the absence of an outside good the HME *may* disappear. The HME disappears if and only if trade costs in the CRS-PC good are sufficiently high to impede international trade in this good. Does the HME survive and what shape does it take when trade costs in the CRS-PC good are not high enough to impede trade in this good? This question, which we address both theoretically and empirically in part of this paper, remains unanswered in Davis (1998).

Other papers have addressed the issue of trade costs and international specialization without, however, focusing on the shape of the HME or on the validity of the HME as discriminating criteria. In a theoretical paper, Amiti (1998) studies, among other things, how the pattern of specialization and trade varies with country size when industries have different trade costs. Hanson and Xiang (2004) theoretically and empirically investigate the pattern of specialization and trade in a model where a continuum of IRS-MC goods differ in terms of elasticities of substitution and trade costs. Holmes and Stevens (2005) focus on how the pattern of trade varies across industries that differ in technology when there are equal trade costs in all sectors. While these papers address issues related to the one in the present study, their focus is different from ours.<sup>5</sup> The robustness of the HME is the subject of investigation also in Head, Mayer and Ries (2002), yet with focus on the role of market structure rather than on the role of the outside good. They study the robustness of the HME to three different modeling assumptions concerning the market structure: Cournot oligopoly and homogenous good, monopolistic competition with linear demand, and Cournot oligopoly with national product differentiation. They find that the first two types of market structure yield a linear relationship between the share of production and the share of demand. The third market structure, instead, give results that depend on the elasticity of substitution between domestic and foreign goods.<sup>6</sup>

### 3. THE MODEL

In this theoretical section we study the consequences that the absence of an outside good has on the HME.

The model is characterized by the presence of two goods: a good produced under IRS-MC, named  $M$ ; and a good produced under CRS-PC, named  $A$ . The latter is differentiated by country of production à la Armington (1969). For notational convenience we shall refer to this good as the CRS-PC- $A$  good. Individuals have the following two-tier utility function:  $U = M^\gamma A^{1-\gamma}$ , where  $\gamma \in (0, 1)$  is the expenditure share on good  $M$ . Both goods are differentiated. Good  $M$  is a CES aggregate of all varieties of  $M$  produced in the world,  $M =$

---

<sup>5</sup>Other papers have studied different manifestations of the HME while keeping the assumption of the existence of an outside good whenever appropriate. Such papers include Weder (1995), Lundbäck and Torstensson (1999), Feenstra, Markusen and Rose (2001), Trionfetti (2001), Weder (2003), Yu (2005), and Brühlhart and Trionfetti (2005).

<sup>6</sup>In the third market structure, for intermediate and high values of the elasticity of substitution there is no HME and the relationship between production and demand *may* be non-linear. The model based on this market structure, however, is not suitable to address the question of the robustness of the HME to the absence of the outside good since it does not predict the HME for any value of parameters. Further, its structure makes it hardly comparable to the models most widely used for theoretical and empirical purposes.

$\left( \int_{\kappa \in \Omega} (c_{Mk})^{\frac{\sigma_M - 1}{\sigma_M}} dk \right)^{\frac{\sigma_M}{\sigma_M - 1}}$ , where  $\Omega$  is the set of all the varieties of  $M$  produced in the world,  $c_{Mk}$  is consumption of variety  $k$ , and  $\sigma_M$  is the elasticity of substitution between any two varieties. Good  $A$  is a CES aggregate of the domestic and foreign variety of  $A$ ,  $A = \left( (c_{A1})^{\frac{\sigma_A - 1}{\sigma_A}} + (c_{A2})^{\frac{\sigma_A - 1}{\sigma_A}} \right)^{\frac{\sigma_A}{\sigma_A - 1}}$ , where  $c_{Ai}$  is consumption of country  $i$ 's variety of good  $A$  and  $\sigma_A$  is the elasticity of substitution between the domestic and the foreign variety of  $A$ . Good  $A$  is produced under constant returns to scale and perfect competition, there is an infinity of domestic producers and an infinity of foreign producers. Consumers perceive the domestically produced  $A$  as different from foreign  $A$  but they perceive as identical the output of two producers in the same country. There is, therefore, product differentiation by country of production. That is, consumers care about the "made in" label. In models of trade in the spirit of Helpman and Krugman (1985) the CRS-PC good is assumed to be perfectly homogenous internationally; thus, domestic and foreign  $A$  are perfect substitute. Assuming perfect substitutability and absence of the outside good gives the knife-edge result that we derive in Section 3.2. However, we do not limit our investigation to the case of perfect substitutability. We allow for a more general case where the domestic and foreign CRS-PC goods are not perfect substitute. This slight generalization will allow us to verify the robustness of the knife-edge results generated by the assumption of perfect substitutability.

>From utility maximization and aggregation over individuals in the same country we have the following demand functions:  $m_{ii} = p_{Mii}^{-\sigma_M} P_{Mi}^{\sigma_M - 1} \gamma Y_i$ ,  $m_{ji} = p_{Mji}^{-\sigma_M} P_{Mi}^{\sigma_M - 1} \gamma Y_i$ ,  $a_{ii} = p_{Aii}^{-\sigma_A} P_{Ai}^{\sigma_A - 1} (1 - \gamma) Y_i$ ,  $a_{ji} = p_{Aji}^{-\sigma_A} P_{Ai}^{\sigma_A - 1} (1 - \gamma) Y_i$ ; where  $m_{ii}$  indicates domestic residents' demand for any of the domestic varieties of  $M$ ,  $m_{ji}$  indicates country  $i$ 's imports of any of the varieties of  $M$ ,  $a_{ii}$  indicates domestic residents' demand for the domestic production of  $A$ ,  $a_{ji}$  indicates country  $i$ 's imports of  $A$  (the first subscript indicates the country where the good is produced, the second subscript indicates the country where the good is sold). Demand functions depend on prices and income:  $p_{Mii}$  and  $p_{Mij}$  represent, respectively, the price in country  $i$  and  $j$  of a variety produced in  $i$ ;  $p_{Aii}$  and  $p_{Aij}$  represent, respectively, the price in  $i$  and  $j$  of good  $A$  produced in  $i$ ;  $P_{Mi}$  is the CES price index of  $M$  relevant for consumers in country  $i$  and  $\Omega_i$  is the set of varieties produced in country  $i$ <sup>7</sup>;  $P_{Ai} = \left( p_{Aii}^{1 - \sigma_A} + p_{Aji}^{1 - \sigma_A} \right)^{\frac{1}{1 - \sigma_A}}$  is the CES price index of  $A$  relevant for consumers in  $i$ ; national income is  $Y_i = w_i L_i$ , where  $w_i$  and  $L_i$  are, respectively, the wage and labor endowment in country  $i$ .

We allow for iceberg transport costs in both sectors. Thus,  $\tau_M \in (0, 1]$  and  $\tau_A \in (0, 1]$  represent for  $M$  and  $A$ , respectively, the the fraction of one unit of good sent that arrives at destination. It is convenient to compact notation by use the following definitions of freeness of trade:  $\phi_M \equiv \tau_M^{\sigma_M - 1} \in (0, 1]$ , and  $\phi_A \equiv \tau_A^{\sigma_A - 1} \in (0, 1]$ . Trade in anyone of these sector is freer when the corresponding  $\phi$  is larger.

Production technology of any variety of  $M$  exhibits increasing returns to scale. The labor requirement per  $q$  units of output is:  $L_M = F + a_M q$ . The production technology of  $A$  exhibits constant returns to scale. To save notation we assume that one unit of labor input produces one unit of output of  $A$ . Profit maximization gives the following optimal prices:

$${}^7 P_{Mi} = \left( \int_{\kappa \in \Omega_i} (p_{iik})^{1 - \sigma_M} dk + \int_{\kappa \in \Omega_j} (p_{jik})^{1 - \sigma_M} dk \right)^{\frac{1}{1 - \sigma_M}}$$

$$p_{Aii} = w_i, \quad p_{Mii} = \frac{\sigma_M}{\sigma_M - 1} a_M w_i, \quad i = 1, 2. \quad (1)$$

$$p_{Aij} = \frac{1}{\tau_A} p_{Aii}, \quad p_{Mij} = \frac{1}{\tau_M} p_{ii}, \quad i \neq j, \quad i, j = 1, 2. \quad (2)$$

The zero profit condition gives the firm's optimal size, which turns out to be the same in both countries and for all firms:

$$q_i = \frac{F}{a_M} (\sigma_M - 1), \quad i = 1, 2. \quad (3)$$

Using demand functions and Walras' law the equilibrium conditions in the goods market are:

$$p_{M11} q_1 = \frac{p_{M11}^{1-\sigma_M} \gamma w_1 L_1}{p_{M11}^{1-\sigma_M} n_1 + \phi_M p_{M22}^{1-\sigma_M} n_2} + \frac{\phi_M p_{M11}^{1-\sigma_M} \gamma w_2 L_2}{\phi_M p_{M11}^{1-\sigma_M} n_1 + p_{M22}^{1-\sigma_M} n_2} \quad (4)$$

$$p_{M22} q_2 = \frac{\phi_M p_{M22}^{1-\sigma_M} \gamma w_1 L_1}{p_{M11}^{1-\sigma_M} n_1 + \phi_M p_{M22}^{1-\sigma_M} n_2} + \frac{p_{M22}^{1-\sigma_M} \gamma w_2 L_2}{\phi_M p_{M11}^{1-\sigma_M} n_1 + p_{M22}^{1-\sigma_M} n_2} \quad (5)$$

$$p_{A11} A_1 = \frac{p_{A11}^{1-\sigma_A} (1-\gamma) w_1 L_1}{p_{A11}^{1-\sigma_A} + \phi_A p_{A22}^{1-\sigma_A}} + \frac{\phi_A p_{A11}^{1-\sigma_A} (1-\gamma) w_2 L_2}{\phi_A p_{A11}^{1-\sigma_A} + p_{A22}^{1-\sigma_A}} \quad (6)$$

Equilibrium conditions in labor markets are:

$$L_1 = A_1 + n_1 (F + a_M q_1) \quad (7)$$

$$L_2 = A_2 + n_2 (F + a_M q_2) \quad (8)$$

The fifteen equations (1)-(8) determine the fifteen endogenous variables of the model. These are the eight prices:  $p_{A11}$ ,  $p_{A12j}$ ,  $p_{A22}$ ,  $p_{A21}$ ,  $p_{M11}$ ,  $p_{M12}$ ,  $p_{M22}$ ,  $p_{M21}$ ; firm's optimal size in each country:  $q_1$ ,  $q_2$ ; the number of varieties of  $M$  produced in each country:  $n_1$ ,  $n_2$ ; the production of  $A$  in each country,  $A_1$ ,  $A_2$ , and the relative wage  $\omega \equiv \frac{w_1}{w_2}$ . The exogenous variables include all parameters and - importantly for our purposes - the size of countries, represented by  $L_1$  and  $L_2$ , respectively. It is convenient at this point to make use of the following definitions of share variables:  $S_{Ni} \equiv \frac{n_i}{n_1+n_2}$ , represents country  $i$ 's share of world production of  $M$ ;  $S_{Ai} \equiv \frac{A_i}{A_1+A_2}$ , represents country  $i$ 's share of world production of  $A$ ; and  $S_{Li} \equiv \frac{L_i}{L_1+L_2}$ , represents country  $i$ 's share of world endowment of labor. Given the assumption of identical preferences  $S_{Li}$  represents also country  $i$ 's share of world's demand. Models in the vein of Helpman and Krugman (1985) predict a more than proportional relationship between a country's share of production and its share of expenditure for IRS-MC sectors, this is the HME, that is:  $\frac{dS_{Ni}}{dS_{Li}} > 1$ . They also predict a less than proportional relationship between the a country's share of production and its share of expenditure for CRS-PC sectors, that is:  $\frac{dS_{Ai}}{dS_{Li}} \in [0, 1)$ . These predictions obtain in the presence of an outside good. The contrast between the more-than-proportional relationship in IRS-MC sectors and the less than proportional relationship in the CRS-PC sectors constitutes a discriminating criterion usable for testing trade theories. We want to verify whether the HME and the discriminating

criterion are robust to the absence of the outside good.

To verify the magnitude of the production-demand relationships we would have to solve the model for the endogenous variables from which we would compute the share variables and, from the explicit expressions for the share variables, we would obtain the derivatives  $\frac{dS_{Ni}}{dS_{Li}}$  and  $\frac{dS_{Ai}}{dS_{Li}}$ . The system composed of equations (1)-(8) does not yield algebraic solutions for the endogenous variables, except in the special case where  $\sigma_A = \infty$ . We therefore use comparative statics and numerical methods to obtain results for the case of a finite value of  $\sigma_A$ . In the next two sections we study two cases which bring us close to two frameworks used in the literature related to our paper. In section 3.1 we will assume that  $\sigma_A = \sigma_M$ . This assumption, abstracting from the absence of an outside good in our model, brings us to the framework used in Head and Ries (2001). In section 3.2 we will assume that  $\sigma_A \neq \sigma_M$  and that  $\sigma_A = \infty$ . The assumption corresponds exactly to the model in Davis (1998). In this special case, the model is solvable explicitly.

### 3.1. Finite Elasticities ( $1 < \sigma_A = \sigma_M < \infty$ ).

Even when it is assumed that  $\sigma_A = \sigma_M \equiv \sigma$  the model remains algebraically unsolvable. We therefore obtain the results in two ways: first we perform a comparative statics exercise, second we explore the model numerically.

#### 3.1.1. Comparative statics.

We differentiate the system composed of equations (1)-(8) at the symmetric equilibrium ( $S_{Li} = \frac{1}{2}$ ). We impart on the system an idiosyncratic shock  $dL_1 = -dL_2$  to the absolute size of countries. Given the assumption of identical preferences, the shock to the size of countries generates an idiosyncratic demand shock of the same magnitude. Total differentiation gives the derivatives of all the endogenous with respect to  $dL_i$ . Given that  $dS_{Li} = \frac{dL_i}{(L_1+L_2)}$  we can easily compute all the derivatives with respect to  $dS_{Li}$ , in particular we are interested in  $\frac{dn_i}{dS_{Li}}$  and  $\frac{dA_i}{dS_{Li}}$ . From these derivatives, using the derivatives of the share variables, it is easy to recover the derivatives of interest for our analysis, namely  $\frac{dS_{Ni}}{dS_{Li}}$  and  $\frac{dS_{Ai}}{dS_{Li}}$ . The resulting expressions are long and intricate and, therefore, not particularly informative. These expressions, however, simplify grandly if we compute them for equal trade costs in both sectors,  $\phi_M = \phi_A = \phi$ . Thus, for expositional purposes, all expressions shown in this sub-section are computed at equal trade costs in both sectors. Naturally, in the numerical exploration of the model we relax this restriction. To make notation less tedious, henceforth we suppress the country subscript  $i$  since no possibility of confusion arises.

Total differentiation gives

$$\frac{dS_N}{dS_L} = \frac{(1 + \phi)^2}{(1 - \phi)^2 + 4\phi\gamma} > 1, \quad \text{for any } \phi \in (0, 1] \text{ and any } \gamma \in [0, 1). \quad (9)$$

The derivative in expression (9) is larger than one, therefore there is HME in the IRS-MC sector. Computing the derivative for sector  $A$  we find:

$$\frac{dS_A}{dS_L} = \frac{(1 - \phi)^2}{(1 - \phi)^2 + 4\phi\gamma} \in [0, 1), \quad \text{for any } \phi \in (0, 1] \text{ and any } \gamma \in [0, 1). \quad (10)$$

The derivative in expression (10) is between zero and one, therefore there is a less than proportional reaction of production to demand in the CRS-PC-A sector.

The two derivatives above tell us that the discriminating criterion to test trade theories developed by Davis and Weinstein (1999, 2003) is robust to the absence of an outside good since we have found that  $dS_N/dS_L > 1$  and that  $dS_A/dS_L \in [0, 1)$ . This notwithstanding, the absence of an outside good reduces the magnitude of the HME. To see this, we take the derivative of  $dS_N/dS_L$  with respect to  $\phi_A$  and (after differentiation) we evaluate it at  $\phi_M = \phi_A$ . This gives:

$$\frac{d\left(\frac{dS_N}{dS_L}\right)}{d\phi_A} = \frac{4(1-\gamma)\left[(\phi(1-\phi)^2)(\sigma-1) + 2\gamma(1+\phi^2)\sigma - \gamma(1-\phi)^2\right]}{(2\sigma-1+\phi)\left[(1-\phi)^2 + 4\gamma\phi\right]^2} > 0, \quad (11)$$

The derivative is positive, which means that a decline of trade costs in  $A$  (i.e., an increase in  $\phi_A$ ) magnifies the HME in  $M$ . We can conclude that the absence of the outside good, although it does not eliminate the HME, reduces its intensity.

### 3.1.2. Numerical exploration of the model.<sup>8</sup>

In the previous subsection we have found analytical results in a neighborhood of the symmetric equilibrium ( $S_L = \frac{1}{2}$ ). In this section we want to find out the shape of the functional relationship between the share of production and the share of demand in the entire set of incomplete specialization. To this aim, we explore the model numerically. The numerical method is explained in section 6.1 of the appendix. Figure 1 illustrates the results obtained by use of numerical methods. The dotted line is the 45-degree line. The continuous straight line shows the function  $S_N(S_L)$  within the incomplete specialization set in the presence of an outside good (like in Head and Ries, 2001). The incomplete specialization set is  $(\underline{S}_L^{is}, \overline{S}_L^{is})$ . Removing the outside good from the model makes the HME non-linear as shown by the thick line. This line represents the function  $S_N(S_L)$  in the absence of an outside good in the new incomplete specialization set  $(\underline{S}_L^{iis}, \overline{S}_L^{iis})$ . The slope of the thick line is larger than one everywhere within the incomplete specialization set but it is flatter around the symmetric equilibrium than away from it. This implies that the HME is weaker if country's demand deviation from the world average are small than if they are large. We can conclude that the absence of the outside good makes the HME non linear. Further, it increases the size of the incomplete specialization set.

The function  $S_A(S_L)$ , not shown in the figure, is the mirror-image of  $S_N(S_L)$  around the 45-degree line. That is,  $S_A(S_L)$  is convex for  $S_L < 1/2$ , it is concave for  $S_L > 1/2$ , and it has an inflection at  $S_L = 1/2$ . Further, its slope is always less than one.

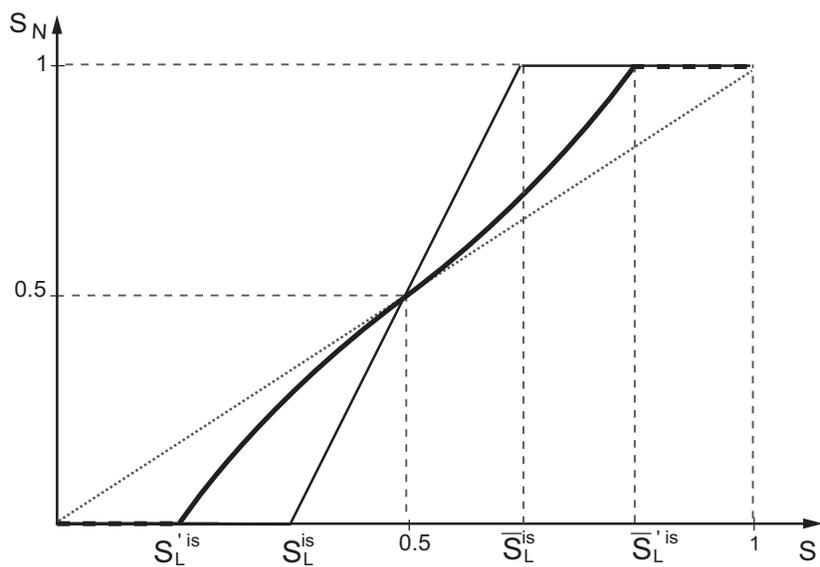
Figure 1 serves the purpose of illustrating the results but does not show an actual simulation. A striking feature of actual simulations is that the non-linearity of  $S_N(S_L)$  is barely visible (see Figure 4 in the appendix). Although almost invisible, the non-linearity is present in all simulations (see appendix section 6.1).

The results from comparative statics and from numerical methods can be summarized in the following proposition.

---

<sup>8</sup>Maple files are available from the authors.

Figure 1: Smoothly non-linear HME



*Proposition 1. When elasticities are finite, the absence of the outside good does not eliminate the HME, it only reduces its magnitude and makes it non-linear; the non-linearity is tenuous, however.*

To get the intuition for the non-linearity we start by noting that in a neighborhood of the symmetric equilibrium ( $S_L = 1/2$ ) the HME is linear, indeed the function  $S_N(S_L)$  has an inflection at the symmetric equilibrium (with slope larger than one). The initial increase of  $S_L$ , besides having an impact on  $S_N$ , it also has a positive impact on the relative wage. Therefore, the effect of any subsequent increase of  $S_L$  on the demand for home goods is multiplied by a higher wage than any previous increase. Any subsequent increase of  $S_L$  will be transmitted to the share of production through the familiar HME mechanism, though more strongly than any previous increase of  $S_L$ .

### 3.2. Perfect substitutability in the CRS-PC good ( $\sigma_A = \infty$ ).

When good A is perfectly homogenous internationally ( $\sigma_A = \infty$ ) the resulting model is exactly as in Davis (1998). The major finding of Davis' paper is that the HME disappears when trade costs in A are sufficiently high to eliminate trade in that good. Our focus is to study the shape of the HME when trade costs are not sufficiently high to eliminate trade in A. This aspect remains unexplored in Davis's paper. We obtain explicitly all the results in section 6.2 of the appendix. Here, we summarize the results by use of Figure 2.

As mentioned above, the HME disappears if trade costs are sufficiently high to impede trade in A. The intuition for this result is quite simple. Industry M cannot expand more than proportionally because industry A cannot release labor. Industry A cannot release labor

because, if there is no trade in  $A$ , domestic production of  $A$  must satisfy domestic demand. In the absence of trade in  $A$ , a country's share of production of  $A$  must be proportional to its share of demand. Consequently, the country's share of production of  $M$  must also be proportional to its share of demand. When trade in  $A$  occurs then there is HME in  $M$ . The reason is that industry  $A$  no longer needs to satisfy domestic demand (good  $A$  can be imported) and therefore it can release labor to industry  $M$ , which can expand more than proportionally. The existence of the HME in this model, therefore, depends crucially on whether trade costs in  $A$  are high enough to eliminate trade in this good. The sufficient condition for the HME to exist is  $\tau_A > \tau_M^{\frac{\sigma_M - 1}{\sigma_M}}$  (see appendix section 6.2).

Figure 2: Piecewise non-linear HME

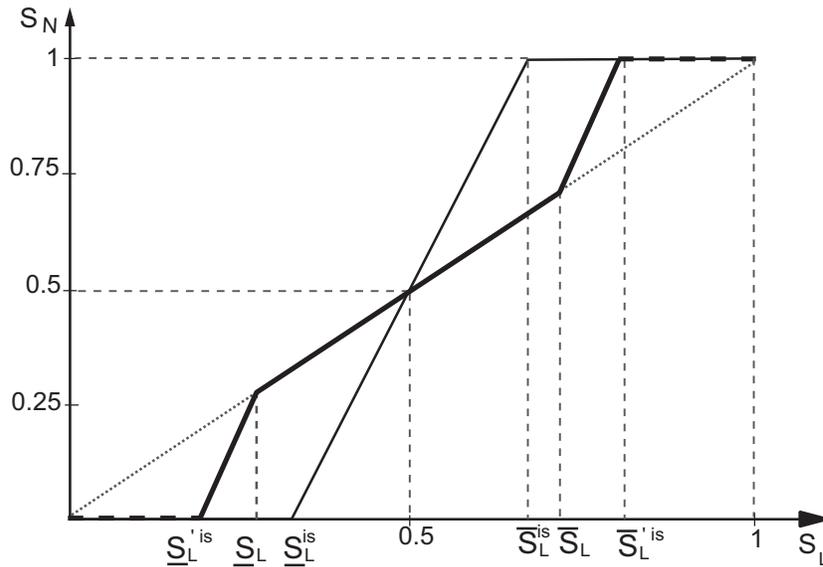


Figure 2 summarizes the results. The continuous straight line represents the case of zero trade costs in  $A$ . This line represents the familiar form of  $S_N(S_L)$  shown, for instance, in Helpman and Krugman (1985). The line shows that there is HME within the incomplete specialization set  $(\underline{S}_L^{is}, \bar{S}_L^{is})$ . The thick broken line represents the function  $S_N(S_L)$  in the case of positive and not prohibitive trade costs in  $A$ . In this case the incomplete specialization set  $(\underline{S}_L'^{is}, \bar{S}_L'^{is})$  is larger. More interestingly, the thick broken line shows that there is no HME within the set  $(\underline{S}_L, \bar{S}_L)$  but there is HME for values of  $S_L$  outside this set and within the incomplete specialization set, where the relationship between  $S_N$  and  $S_L$  is more than proportional. An increase of trade costs in  $A$  with respect to trade costs in  $M$  expands symmetrically the set  $(\underline{S}_L, \bar{S}_L)$  which then covers a larger section of the set  $(0, 1)$  (the more-than-proportional sections of the broken line would shift away from the symmetric equilibrium). If trade costs in  $A$  are sufficiently high, then the set  $(\underline{S}_L, \bar{S}_L)$  coincides with  $(0, 1)$  and the home market effect disappears completely.

The function  $S_A(S_L)$ , not shown in the figure, is the mirror-image of  $S_N(S_L)$  around the 45-degree line. The relationship is less than proportional for  $S_L < \underline{S_L}$  and for  $S_L > \overline{S_L}$ ; and it is proportional for  $S_L \in (\underline{S_L}, \overline{S_L})$ . We can summarize the results as follows:

*Proposition 2.* When  $\sigma_A = \infty$ , there is HME if the set  $(\underline{S_L}, \overline{S_L})$  is a proper subset of  $(0, 1)$ .

When there is HME, the relationship between share of demand and share of production in  $M$  is represented by a broken line like the thick line in Figure 2. We refer to this shape as the “piecewise HME”.

### 3.3. Theoretical conclusion.

The model examined in this section gives the following prediction: removing the outside good makes the HME non linear by either giving it the smooth shape (Figures 1) or the piecewise shape (Figure 2). The model gives also another prediction: the HME is weaker (if it exists at all) nearer the symmetric equilibrium than away from it. This means that the HME is more important for countries whose demand shares are very different from the world average than for countries whose demand shares are near the world average. In the empirical part we subject these results to empirical investigation.

## 4. EMPIRICAL IMPLEMENTATION.

The key result of the previous section is that the absence of an outside good attenuates the magnitude of the HME and makes it non linear. This non-linearity is a distinctive feature of the model and can be verified empirically by estimating the relationship between countries’ production shares and demand shares. Moreover, the empirical analysis of the shape of the HME allows us to identify the set of countries for which the HME is of negligible or null magnitude and those for which the HME is important.

Following Davis and Weinstein (2003) and Head and Ries (2001), we analyze, for a large set of countries and industries, the relation between each demand deviation from the sample average and the corresponding production deviation. Denoting with  $x_{ikt}$  the quantity of good  $k$ , produced in country  $i$  at date  $t$ , production deviation in country  $i$  for product  $k$  is:

$$S_{S,ikt} = \frac{x_{ikt}}{\sum_{i=1}^R x_{ikt}} - \frac{1}{R},$$

where  $R$  is the number of countries.  $S_{S,ikt}$  is positive if the production of good  $k$  in country  $i$  is greater than the mean value of the sample, and negative otherwise. To be consistent with the theoretical model, we measure  $S_{S,ikt}$  in terms of quantity of production. We proxy the quantities by  $x_{ikt} = X_{ikt}/p_{ikt}$ , where  $X_{ikt}$  is the value of production of good  $k$  in country  $i$  at date  $t$  and  $p_{ikt}$  is the price of that production.

The demand deviation variable is defined similarly:

$$S_{D,ikt} = \frac{D_{ikt}/p_{ikt}}{\sum_{i=1}^R (D_{ikt}/p_{ikt})} - \frac{1}{R},$$

where  $D_{ikt}$  is what Davis and Weinstein (2003) call the “Derived Demand” and Head and Mayer (2006) call the “Nominal Market Potential”. It is the value of demand emanating

from all countries for good  $k$  produced in country  $i$  at date  $t$ . It is computed as the sum of sectoral expenditures in all locations weighted by accessibility to consumers. Denoting with  $E_{jkt}$  the expenditure on good  $k$  in country  $j$  and with  $\Phi_{ijkt}$  a measure of trade freeness, we have:

$$D_{ikt} = \sum_{j=1}^R \Phi_{ijkt} E_{jkt}.$$

An important issue for empirical investigation lies in the measurement of trade freeness represented by the parameter  $\Phi_{ijkt}$ . We use here the same estimate of trade barriers as Head and Ries (2001). Using the theoretical demands expressed on foreign and domestic markets and assuming symmetric bilateral trade freeness and free trade within countries, they obtain the following proxy for  $\Phi_{ijkt}$ :

$$\Phi_{ijkt}^{HR} = \sqrt{\frac{z_{ijkt} z_{jikt}}{z_{iikt} z_{jjkt}}},$$

where  $z_{ijkt}$  is the value of the trade flow of good  $k$ , from  $i$  to  $j$  at year  $t$  and  $z_{iikt}$  is country  $i$ 's imports from itself. The index  $\Phi_{ijkt}$  varies from 0 (prohibitive trade barriers) to 1 (free trade).<sup>9</sup>

This measure of freeness of trade has three main qualities. Firstly,  $\Phi_{ijkt}^{HR}$  is time-dependent, so that we can control for the potential changes in access to market due to trade liberalization processes. Secondly,  $\Phi_{ijkt}^{HR}$  catches all possible sources of bilateral trade barriers, besides trade frictions associated to geographical distances and other usual gravity inputs. Thirdly,  $\Phi_{ijkt}^{HR}$  does not impose any strict assumption on bilateral trade relation and fits specifically to each country-pair. For instance, the gravity equation assumes a log-linear influence of geographic distance on bilateral trade and cannot fit well for particularly large or small distances. This is very important for the purpose of this paper; since we are looking for nonlinearity in the HME relation, we have to make sure that our measure of access to market does not introduce a bias that especially affects outlier trading countries.

## 4.1. Data

The empirical investigation of the model requires compatible data of production and demand at the sectoral level. Moreover, we need bilateral trade data for the corresponding products and countries in order to compute  $\Phi_{ijkt}^{HR}$ .

We use the trade and production database developed by CEPII (see Mayer and Zignago, 2005).<sup>10</sup> It uses CEPII's database of bilateral trade (BACI<sup>11</sup>) and OECD-STAN to expand the trade and production database produced by the World Bank (the latter database comes from both COMTRADE and UNIDO).

CEPII's database covers a large set of industrial sectors (ISIC-Rev. 2) and countries, over 25 years (1976-2001). It provides figures on sectoral production, prices, total exports and imports, and bilateral trade. For each country and sector, intra-national trade is computed as the difference between country's sectoral production and its aggregate sectoral exports to all other nations. Similarly, domestic expenditure is the sum of this non-exported production and the sectoral imports from the rest of the world.

<sup>9</sup>Head and Mayer (2004) discuss further this index. See also Behrens et al. (2004).

<sup>10</sup>The original database is available at [www.cepii.fr/anglaisgraph/bdd/TradeProd.htm](http://www.cepii.fr/anglaisgraph/bdd/TradeProd.htm).

<sup>11</sup><http://www.cepii.fr/anglaisgraph/bdd/baci.htm>

Because of numerous missing values, we finally use a restricted balanced data set for 25 countries and 25 industries, over the period 1990-1996 (Table 8 in appendix gives a complete list of the countries and the industries in the database).<sup>12</sup> Nevertheless, the set of countries remains very large; in 1996, it accounted for more than 78% of world GDP and about 70% of world trade.

Figure 3: Demand deviations and production deviations (1996)

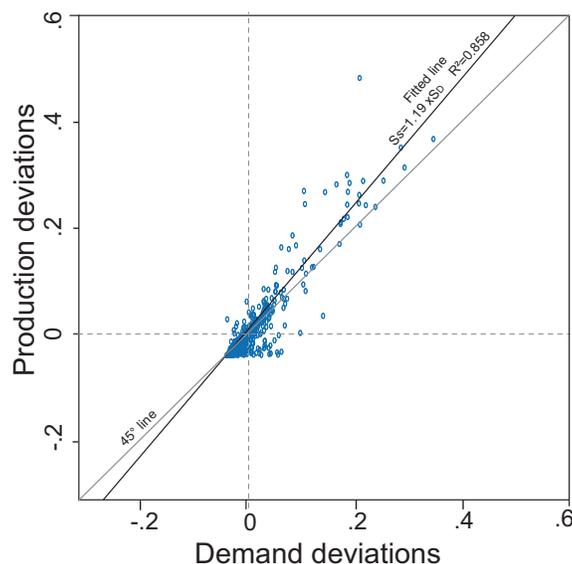


Figure 3 plots  $S_{S,ikt}$  against  $S_{D,ikt}$  for the 25 industries and the 25 countries. To get a more intelligible figure, we plot these only for the year 1996.<sup>13</sup> As expected, we observe that greater demand deviations increase production deviations more than proportionately (the fitted line has a slope of 1.19). We also observe that some observations with the largest positive demand deviations are above the fitted line, whereas the observations with the smallest demand deviations are mainly below the fitted line. This visual inspection confirms our theoretical prediction but it is by the use of econometric techniques that we will rigorously verify the presence of the non-linearity.

## 4.2. Estimations

By definition, the mean value of both  $S_{S,ikt}$  and  $S_{D,ikt}$  is zero. With such centered variables, the simplest estimable equation corresponding to the thick line drawn in Figure 1 is the following:

<sup>12</sup>We tried to keep a large number of industries. We only dropped three of them from the original database (*Furniture except metal, Miscellaneous petroleum and coal products and Pottery, china and earthenware*).

<sup>13</sup>Of course, the choice of 1996 does not affect greatly what the figure looks like.

$$S_{S,ikt} = \alpha_1 S_{D,ikt} + \alpha_2 S_{D,ikt} \cdot |S_{D,ikt}|, \quad (12)$$

The estimation of equation (12) gives all the information we need in order to infer the shape of the relationship between share of production and share of demand. Indeed, it is easily verified that, if the estimated  $\alpha_2$  is positive, then negative demand deviations make the shape concave whereas positive demand deviations make the shape convex. Exactly the opposite applies if  $\alpha_2$  is negative. If  $\alpha_2 = 0$ , then the HME is linear.<sup>14</sup> Thus, the estimated values of the coefficients  $\alpha_1$  and  $\alpha_2$  can be associated precisely with different shapes of the production-demand relationship and with different market structures as shown in Table 1.<sup>15</sup>

Table 1: Coefficients, shape, and market structure

	Non Linear shape	Linear shape
IRS-MC	$\alpha_1 \geq 1, \alpha_2 > 0$	$\alpha_1 > 1, \alpha_2 = 0$
CRS-PC	$\alpha_1 \leq 1, \alpha_2 < 0$	$\alpha_1 < 1, \alpha_2 = 0$

Econometric estimates of the model are presented in Tables 2 to 5. All regressions use ordinary least squares.

#### 4.2.1. Pooled regressions: The basic result

We start by performing several pooled estimations of equation (12), i.e. for the  $25 \times 25 \times 7 = 4375$  observations. Results are in Table 2.

Column (1) displays a benchmark estimation assuming a simple linear relation between  $S_{D,ikt}$  and  $S_{S,ikt}$ . As expected, the coefficient is positive and greater than one, which indicates that there is, on average, a significant Home Market Effect. Moreover, the coefficient value of 1.189 is of comparable magnitude to those obtained by Head and Ries (2001) in the case of the between estimates. However, the main object of our interest is the estimated value of  $\alpha_2$  in equation (12). This result is shown in column (2). The introduction of the second term reduces the estimated value of  $\alpha_1$ , and the estimated value of  $\alpha_2$  is unambiguously positive. These estimates indicate that the relation between demand shares and production shares is smoothly non-linear. Like in Figure 1, the Home Market Effect is always present, but its strength increases with the absolute size of demand deviations.

---

<sup>14</sup>The estimated equation (12) has the following functional form:  $y = \alpha_1(x - \frac{1}{2}) + \alpha_2(x - \frac{1}{2})|x - \frac{1}{2}|$ . The first derivative is:  $\alpha_1 + \alpha_2(x - \frac{1}{2})\text{sign}(x - \frac{1}{2}) + \alpha_2|x - \frac{1}{2}|$ . It is apparent that  $\alpha_1$  is the least value of the first derivative. Therefore, if the estimated value of  $\alpha_1$  is larger than 1, the slope of the production-demand relationship is larger than 1 everywhere. The second derivative is:  $y'' = \alpha_2[2\text{sign}(x - \frac{1}{2}) + (2x - 1)\text{Dirac}(x - \frac{1}{2})]$ . When  $\alpha_2$  is positive, then  $y'' \leq 0$  for  $x \leq \frac{1}{2}$ , therefore the function is concave for  $x < 1/2$ , it has an inflection at  $x = 1/2$ , and it is convex for  $x > 1/2$ . The sign of  $y''$  and the shape of the curvature are reversed when  $\alpha_2$  is negative. If  $\alpha_2 = 0$  the function is linear everywhere.

<sup>15</sup>One advantage of using (12) over a polynomial specification is that the latter gives rise to multicollinearity among the odd-powered and the even-powered terms. On the contrary, multicollinearity diagnostics are systematically negative for equation (12).

Table 2: Pooled regressions

Dependent Variable: $S_S$ (production deviation)		
OLS estimates		
	(1)	(2)
$S_D$	1.189 <sup>&gt;1</sup> (0.018)	1.146 <sup>&gt;1</sup> (0.021)
$S_D \cdot  S_D $		0.261 <sup>b</sup> (0.128)
Nb. Obs.	4375	4375
R <sup>2</sup>	0.862	0.862

Notes:  $S_D$  is the computed derived demand deviation. Robust standard error in parentheses. <sup>a</sup>, <sup>b</sup>, <sup>c</sup>: Respectively significant at the 1%, 5% & 10% levels. =<sup>1</sup>, ><sup>1</sup>: Significant at the 1% level, and respectively equal and greater than one at the 5% level.

#### 4.2.2. Pooled regressions: Robustness tests

Tables 3 and 4 present a set of robustness checks of the result presented in Table 2.

Table 3: Pooled regressions - Robustness tests

Dependent Variable: $S_S$ (production deviation) - OLS estimates			
	(1)	(2)	(3)
	Values	Gravity <i>phi</i> -ness ( $\Phi_{ijk}^G$ )	Robust <i>phi</i> -ness ( $\hat{\Phi}_{ijkt}^{HR}$ )
$S_D$	1.168 <sup>&gt;1</sup> (0.021)	1.053 <sup>&gt;1</sup> (0.022)	1.088 <sup>&gt;1</sup> (0.016)
$S_D \cdot  S_D $	0.310 <sup>b</sup> (0.133)	0.658 <sup>c</sup> (0.374)	0.189 <sup>b</sup> (0.096)
Nb. Obs.	4375	4375	4375
R <sup>2</sup>	0.880	0.507	0.939

Notes:  $S_D$  is the computed derived demand deviation. <sup>a</sup>, <sup>b</sup>, <sup>c</sup>: Respectively significant at the 1%, 5% & 10% levels. =<sup>1</sup>, ><sup>1</sup>: Significant at the 1% level, and respectively equal and greater than one at the 5% level. Robust standard errors in parentheses.

In Table 3, we consider several alternative definitions of variables. First, column (1) reports the estimates of the model using values of production and demand rather than volumes. This specification is less relevant for the purpose of the present paper, but it allows us to compare

the results with the previous literature. The results in column (1) of Table 3 are comparable to those shown in Table 2. Both coefficients are significantly positive and  $\alpha_1$  is greater than one, which reveals again a smoothly non-linear HME.

Another empirical issue that needs to be addressed concerns the measurement of trade impediments. As explained above,  $\Phi_{ijkt}^{HR}$  is a measure of trade freeness that has many good features. However, as a robustness test, columns (2) and (3) of Table 3 display the results obtained using two alternative definitions of  $\Phi_{ijkt}$ .

In column (2), we follow Davis and Weinstein (2003) using a two step procedure to estimate the freeness of trade. First, we perform, for each industry, a gravity estimation using bilateral trade data; then the coefficients of this regression are used to compute the bilateral trade barrier. Our specification follows Eaton and Kortum (2002) and Combes et al. (2005). We divide each international trade flow by the internal flow of the importer. We denote with  $z_{ijkt}$  the exports of good  $k$  from country  $i$  to country  $j$ ,  $x_{ikt}$  the production of good  $k$  in country  $i$ ,  $p_{ikt}$  the price of that production,  $d_{ij}$  the bilateral distance between  $i$  and  $j$  and  $C_{ij}$  a dummy variable that equals one if countries  $i$  and  $j$  have a common border.  $\varepsilon_{ijkt}$  is an error term and  $t$ , as usual, denotes time. The gravity equation we estimate is:

$$\ln \left( \frac{z_{ijkt}}{z_{jjkt}} \right) = b_1 \ln \left( \frac{x_{ikt}}{x_{jkt}} \right) + b_2 \ln \left( \frac{p_{ikt}}{p_{jkt}} \right) + b_3 \ln \left( \frac{d_{ij}}{d_{jj}} \right) + b_4 C_{ij} + b_5 + \varepsilon_{ijkt}.$$

This specification of the gravity equation allows to control for the importing country-specific price index that appears in structural bilateral trade equations. Here, the intercept ( $b_5$ ) is a measure of the border effect ( $b_5 < 0$ ). We estimate this equation separately for each industry. For all of them, the coefficients have the expected sign, therefore we can compute a time invariant gravity-based measure of trade freeness:  $\Phi_{ijk}^G = \left( d_{ij}^{b_{3k}} \right) \left( e^{b_{4k} C_{ij}} \right) \left( e^{b_{5k} Intra_{ij}} \right)$ , where  $Intra_{ij}$  is a dummy that takes the value one if  $i = j$ .

We then use  $\Phi_{ijk}^G$  to compute derived demand and estimate equation (12). The results shown in column (2) of Table 3 are consistent with those obtained using  $\Phi_{ijk}^{HR}$ ; Both  $\alpha_1$  and  $\alpha_2$  are positive and  $\alpha_1$  is significantly greater than one, which denotes a smoothly non-linear HME pattern. However, the overall fit of the model is relatively weak.

Finally, we consider the possibility that  $\Phi_{ijkt}^{HR}$  may be affected by measurement errors in bilateral trade flows and by sudden changes in prices of traded goods. Hence, we introduce a third measure of trade freeness,  $\widehat{\Phi}_{ijkt}^{HR}$ , that is a robust measure of  $\Phi_{ijkt}^{HR}$ . We estimate the following equation:  $\ln \Phi_{ijkt}^{HR} = \epsilon_{ij} + \epsilon_k + \epsilon_t + \nu_{ijkt}$ , where  $\nu_{ijkt}$  is an error term and  $\epsilon_{ij}$ ,  $\epsilon_k$  and  $\epsilon_t$  are three sets of fixed effects, relative respectively to country pairs, industries and years. Hence,  $\Phi_{ijkt}^{HR}$  is broken up into three elements. The first one ( $\epsilon_{ij}$ ) accounts for the influence of elements such as distances, bilateral trade agreements, common language, etc. The second one ( $\epsilon_k$ ) accounts for the differences in product transportability. The last one ( $\epsilon_t$ ) captures the evolution of transport techniques and multilateral trade agreements. We define  $\widehat{\Phi}_{ijkt}^{HR}$  as the exponential of the predicted value of this estimation. As expected,  $\widehat{\Phi}_{ijkt}^{HR}$  is highly correlated to  $\Phi_{ijkt}^{HR}$ , but its variance is smaller.<sup>16</sup> The estimates of equation (12) using

<sup>16</sup>Note that even if  $\widehat{\Phi}_{ijkt}^{HR}$  controls for measurement errors that possibly affect  $\Phi_{ijkt}^{HR}$ , it may not be a more accurate measure for the purpose of our empirical work. Indeed, it may reduce the influence of some particularly extreme values of  $\widehat{\Phi}_{ijkt}^{HR}$  that result from real trade flows. Once again, using a measure of access to market that smoothes large deviations may affect seriously the results.

$\widehat{\Phi}_{ijkt}^{HR}$  are reported in column (3). Once again, we confirm the results presented in Table 2 that show a smoothly non-linear HME.

Table 4: Pooled regressions - Robustness tests

Dependent Variable: $S_S$ (production deviation) - OLS estimates						
	(1)	(2)	(3)	(4)	(5)	(6)
	OCDE					
$S_D$	1.215 <sup>&gt;1</sup> (0.023)	1.131 <sup>&gt;1</sup> (0.025)	1.146 <sup>&gt;1</sup> (0.014)	1.145 <sup>&gt;1</sup> (0.014)	0.832 <sup>a</sup> (0.024)	0.974 <sup>=1</sup> (0.015)
$S_D \cdot  S_D $	0.0814 (0.129)	0.401 <sup>a</sup> (0.151)	0.261 <sup>a</sup> (0.074)	0.268 <sup>a</sup> (0.075)	0.244 <sup>a</sup> (0.086)	-0.872 <sup>a</sup> (0.124)
TB		1.44e-10 <sup>c</sup> (7.5e-11)				
Fixed effects	No	No	Year	Indus.	Cty	Cty-Indus.
Nb. Obs.	2800	4375	4375	4375	4375	4375
R <sup>2</sup>	0.879	0.863	*	*	*	*

Notes:  $S_D$  is the computed derived demand deviation. <sup>a</sup>, <sup>b</sup>, <sup>c</sup>: Respectively significant at the 1%, 5% & 10% levels. =<sup>1</sup>, ><sup>1</sup>: Significant at the 1% level, and respectively equal and greater than one at the 5% level. Columns (1) and (2): Robust standard errors in parentheses. \* Constrained linear regression; R<sup>2</sup> is not calculated.

In Table 4 we test whether the result reported in Table 2 is robust to alternative specifications and country sampling. First we ran estimations using a data set restricted to OECD countries (see column 1).<sup>17</sup> When non-OECD countries are excluded from the data,  $\alpha_2$  is non-significant, which gives support to the linear HME hypothesis. This is consistent with theory because intra-OECD demand deviations are less heterogeneous than they are in the full sample.

In column (2) we control for a possible bias resulting from temporary external imbalances by using the variable  $TB_{ikt}$ . This variable is computed as the product of country  $i$ 's trade balance and the share of  $i$ 's production of good  $k$  in the world economy. Controlling for external imbalances does not change the results. Moreover, introducing  $TB_{ikt}$  yields a stronger smooth non-linearity;  $\alpha_1$  is smaller and  $\alpha_2$  is larger.

Finally, we estimate the model with different sets of fixed effects. As there is no intercept in the model, we always constrain the sum of the fixed effects to be equal to zero. In columns (3) and (4) we introduce respectively year and industry fixed effects. The results remain unchanged. In columns (5) and (6) we estimate respectively country fixed effects, and country-industry fixed effects (i.e. we estimate the 25\*25=625 dummies corresponding to each pair of country and industry). With country fixed effects, the estimation function is still first concave and then convex (as in the previous columns). But  $\alpha_1 < 1$  reflects the absence of the HME locally. Further, the average slope of the production-demand relation-

<sup>17</sup>Denmark, Spain, Finland, France, United Kingdom, Italy, Japan, Korea, Mexico, The Netherlands, Philippines, Portugal, Sweden and USA.

ship (computed between the minimum and the maximum value of the estimated equation) is less than one; this means absence of the HME globally.<sup>18</sup> With country-industry fixed effect, the estimation exhibits unambiguously a shape which is a mirror image of the HME around the 45-degree line:  $\alpha_1$  is not greater than one, and  $\alpha_2$  is significantly negative. That means that the production-demand relationship is first convex then concave and less than proportional everywhere. Therefore, like in Head and Ries (2001), we find that the within estimates support the CRS-PC-A paradigm.

### 4.2.3. *Structural changes in the HME*

Results in Tables 3 to 4 confirm that the HME is smaller when absolute value of demand deviations from the average are small. Is it possible that the non-linearity takes the piecewise shape shown in Figure 2? And in that case, how large is the set of countries that belongs to the perfectly proportional section of the piecewise non-linear HME?

In this section we investigate further these issues by estimating the critical value of demand deviations beyond which the HME has a stronger influence on specializations. To do so, we test for parameter structural change in a simple linear HME estimation. Hence we perform maximum-Wald tests, using the following equation:

$$S_{S,ikt} = \beta_1(1 - ExtremeDev_\pi)S_{D,ikt} + \beta_2(ExtremeDev_\pi)S_{D,ikt}, \quad (13)$$

where  $ExtremeDev_\pi$  is a dummy variable that equals one if  $S_{D,ikt}$  belongs to the  $\pi/2$  smallest or the  $\pi/2$  greatest values in the sample and zero otherwise. We test  $\beta_1 \neq \beta_2$  performing Wald tests for several values of  $\pi$ , then we consider the larger value of Wald statistic as the most significant break point.<sup>19</sup> Hence, the estimated critical value of  $\pi$  splits the data into three sub-groups: a group of observations that have small values of derived demand deviations, a group of large derived demand deviations, and a group of intermediate derived demand deviations. The two groups of extreme values of demand deviations are of identical size and we assume that the HME is of identical magnitude for both of them. The smaller is the estimated value of  $\pi$  the smaller is the size of these two groups of observations. We report in Table 5 the critical value of  $\pi$  and the corresponding regression results. The last column in Table 5 displays the resulting percentage of observations for which  $ExtremeDev_\pi = 1$ , that is the observations for which the slope is  $\beta_2$ .

We first perform this test for the pooled data.<sup>20</sup> Consistently with the estimations of equation (12) the results show evidence of smooth non-linearity ( $\beta_2 > \beta_1 > 1$ ), which suggests that HME matters for all countries though more strongly for extreme values of demand deviations. When we consider each year successively, we observe a very different result.<sup>21</sup> The maximum-Wald test identifies a significant break point for a  $\pi$  ranking from 100 to 148 (i.e. about 20% of the sample). For each year, except 1990 and 1992,  $\beta_2$  is greater than 1 while  $\beta_1$  does not statistically differ from 1. Hence, these estimations reveal the presence of a piecewise Home Market Effect (as in Figure 2), and only affect specialization patterns for

<sup>18</sup>Note that absence of HME may be compatible with IRS-MC when intersectoral labor supply elasticity is small or when demand is home biased. See, for instance, Head and Mayer (2004) and Trionfetti (2001).

<sup>19</sup>See Andrews (1993, 2003).

<sup>20</sup>We increase  $\pi$  from 20 to 2000, using steps of 20 observations.

<sup>21</sup>There are 625 observations for each year. We perform regressions for values of  $\pi$  ranking from 4 to 624, with a step of 4 observations.

the first and last decile of country/industry demand deviations. For approximately 80% of the countries/industries in the sample the estimated production-demand relationship is just proportional.

The remaining lines of Table 5 report the results for each individual industry.<sup>22</sup>

According to the maximum-Wald test, the relation between demand and production deviations is strictly linear for two industries only: Wearing apparel (322) and rubber products (355). The results for the latter are clearly consistent with the IRS-MC paradigm. The conclusion for wearing apparel is slightly more ambiguous, but relying upon the value of  $\beta_2$ , this industry may be classifiable under the CRS-PC paradigm.

For the 23 remaining industry, the Wald test confirms the non-linearity. Seven industries provide unexpected results. For six of them, both  $\beta_1$  and  $\beta_2$  are greater than one, but  $\beta_1 > \beta_2$ . These industries exhibit a significant HME and they can be associated to the IRS-MC paradigm, however they do not fit in any of the cases identified in the theoretical model. Note that for all of these industries but beverages the critical values of  $\pi$  are very high (greater than 120). Therefore, for most countries, the relationship between production and demand deviations show a linear HME with a slope equal to  $\beta_1$ .

Besides these cases, Footwear is the only industry that shows results that are clearly consistent with the CRS-PC paradigm ( $\beta_1 \leq 1$  and  $\beta_2 < \beta_1$ ). Five industries show a smoothly non-linear HME ( $\beta_1 \geq 1$  and  $\beta_2 > \beta_1$ ). Finally, we observe a piecewise HME for the eleven industries marked by italic font in Table 5 (i.e.  $\beta_1 = 1$  and  $\beta_2 > 1$ ).

To sum up, these results show that 16 industries out of 25 exhibit unambiguously the non-linear relationship predicted by the model.<sup>23</sup> More interestingly, considering the eleven industries that exhibit a piecewise HME, we observe that the corresponding threshold values of  $\pi$  are rather small; They are always smaller than 36 and their mean is about 22. For these eleven industries (that account all together for more than 62% of manufacturing production in our sample) the HME matters only for a small fraction of the observations.<sup>24</sup>

## 5. CONCLUSION.

We have eliminated the outside good from the model that used the HME to test trade theories. Our theoretical results confirm that the discriminating criterion based on the HME is robust to such model modification except in the special case of perfect substitutability between domestic and foreign production of the CRS-PC good combined with prohibitive trade costs for this good. This special case is never observed at the level of industry aggregation normally used in the empirical literature. It seems safe to conclude, therefore, that the HME remains a valid criterion with which to test trade theories. The robustness of the HME has another important implication. It implies that the outside good assumption, although clearly at odds with reality, does not affect qualitatively the results concerning international specialization and the direction of trade. Therefore, its pervasive use is justifiable on the ground of alge-

<sup>22</sup>There are 175 observations for each of the 25 industries. We perform 42 regressions for each of them with  $\pi$  ranking from 4 to 172 with steps of 4 observations.

<sup>23</sup>We also estimated equation (12) considering each industry on its own. The concordance with the results displayed in table 5 is fairly good, thus we do not report these estimates here (they are available from the authors upon request).

<sup>24</sup>For these eleven industries, the percentage of observations for which  $ExtremeDev_\pi = 1$  ranges from 9.1 to 20.6; and its average is 12.5.

braic convenience. However, in the absence of the outside good, the HME is attenuated and may disappear in a subset of the incomplete specialization set. This is important because it implies that all results hinging on the HME (results concerning specialization, but also welfare results) should be taken with same caution since their actual magnitude is probably smaller than what is predicted by models which assume an outside good. Finally, the HME is found to be non linear. The non-linearity implies that the home market effect is more important for countries whose demand deviations are very different from the average than for countries whose demand deviations are close to the average. Therefore, the consequences of small demand shocks (be it due to preference shocks or to public policy) are likely to have a much smaller (if any) impact on international specialization than what is predicted by models that assume an outside good.

Our empirical investigation strongly supports the non-linearity in both pooled and sectoral regressions. We find evidence of non-linearity in 16 sectors out of 25. Five of them exhibit the smooth non-linearity and eleven of them show the piecewise non-linear HME. The latter result tells us that although the HME exists, its economic importance is limited since it influences the specialization of a small number of countries (about 12.5 % of the sample).

We conclude by pointing at one other related issue concerning trade costs and the HME. The HME derived in the two-country model with outside good extends to the many-country model (with outside good) if it is assumed that countries are equidistant from each other but it does not (in general) if countries are not equidistant. Behrens et al. (2004) explore this issue in great detail while keeping the assumption of the existence of an outside good that equalizes wages and offsets all trade imbalances. We have limited our analysis to the the two-country case but have complicated matters by eliminating the outside good. Ideally, one would like to see a tractable model with many non-equidistant countries and without the outside good, but this proves to be beyond mathematical tractability for the time being.

Table 5: Simple HME test - structural breakpoints

		$\beta_1$	$\beta_2$	$\pi$	% of obs. for which <i>ExtremeDev</i> $_{\pi=1}$
<b>Pooled</b>		1.06 <sup>&gt;1</sup>	1.21 <sup>&gt;1</sup>	960 obs.	21.9%
<b>Year</b>	1990	1.06 <sup>&gt;1</sup>	1.21 <sup>&gt;1</sup>	148 obs.	23.7%
	1991	1.03 <sup>=1</sup>	1.22 <sup>&gt;1</sup>	148 obs.	23.7%
	1992	1.06 <sup>&gt;1</sup>	1.24 <sup>&gt;1</sup>	136 obs.	21.8%
	1993	1.04 <sup>=1</sup>	1.22 <sup>&gt;1</sup>	104 obs.	16.6%
	1994	1.05 <sup>=1</sup>	1.21 <sup>&gt;1</sup>	140 obs.	22.4%
	1995	1.05 <sup>=1</sup>	1.20 <sup>&gt;1</sup>	100 obs.	16.0%
	1996	1.03 <sup>=1</sup>	1.23 <sup>&gt;1</sup>	116 obs.	18.6%
<b>Industry</b>	<b>(ISIC)</b>				
<i>Food prod.</i>	(311)	1.01 <sup>=1</sup>	1.10 <sup>&gt;1</sup>	16 obs.	9.1%
Beverages	(313)	1.05 <sup>&gt;1</sup>	1.00 <sup>=1</sup>	44 obs.	25.1%
<i>Tobacco</i>	(314)	0.98 <sup>=1</sup>	1.18 <sup>&gt;1</sup>	16 obs.	9.1%
Textiles	(321)	1.48 <sup>&gt;1</sup>	1.25 <sup>&gt;1</sup>	120 obs.	68.6%
Wearing app.	(322)	1.03 <sup>=1</sup>	0.93 <sup>a</sup>	56 obs. <sup>b</sup>	32.0%
Leather prod.	(323)	1.61 <sup>&gt;1</sup>	1.14 <sup>=1</sup>	136 obs.	77.7%
Footwear	(324)	1.11 <sup>=1</sup>	0.38 <sup>a</sup>	12 obs.	6.9%
<i>Wood prod.</i>	(331)	0.98 <sup>=1</sup>	1.12 <sup>&gt;1</sup>	16 obs.	9.1%
<i>Paper &amp; prod.</i>	(341)	1.00 <sup>=1</sup>	1.22 <sup>&gt;1</sup>	28 obs.	16.0%
Printing	(342)	1.05 <sup>&gt;1</sup>	1.06 <sup>&gt;1</sup>	16 obs.	9.1%
Indus. chemicals	(351)	1.14 <sup>&gt;1</sup>	1.67 <sup>&gt;1</sup>	32 obs.	18.3%
<i>Other chemicals</i>	(352)	1.18 <sup>&gt;1</sup>	1.27 <sup>&gt;1</sup>	20 obs.	11.4%
Petroleum	(353)	1.00 <sup>=1</sup>	1.15 <sup>&gt;1</sup>	16 obs.	16.0%
Rubber prod.	(355)	1.10 <sup>&gt;1</sup>	1.22 <sup>&gt;1</sup>	48 obs. <sup>b</sup>	27.4%
Plastic prod.	(356)	1.28 <sup>&gt;1</sup>	1.10 <sup>&gt;1</sup>	140 obs.	80.0%
<i>Glass &amp; prod.</i>	(362)	1.04 <sup>=1</sup>	1.33 <sup>&gt;1</sup>	36 obs.	20.6%
Other mineral prod.	(369)	1.15 <sup>&gt;1</sup>	1.03 <sup>&gt;1</sup>	140 obs.	80.0%
Iron & steel	(371)	1.44 <sup>&gt;1</sup>	1.20 <sup>&gt;1</sup>	136 obs.	77.7%
<i>Other metals</i>	(372)	1.01 <sup>=1</sup>	1.36 <sup>&gt;1</sup>	12 obs.	6.9%
Metal prod.	(381)	1.11 <sup>&gt;1</sup>	1.21 <sup>&gt;1</sup>	44 obs.	24.1%
<i>Non-elec. machinery</i>	(382)	1.087 <sup>=1</sup>	1.70 <sup>&gt;1</sup>	32 obs.	18.3%
<i>Electric machinery</i>	(383)	0.84 <sup>=1</sup>	1.66 <sup>&gt;1</sup>	28 obs.	16.1%
<i>Transport equip.</i>	(384)	1.02 <sup>=1</sup>	1.41 <sup>&gt;1</sup>	28 obs.	16.1%
<i>Professional equip.</i>	(385)	0.72 <sup>=1</sup>	2.62 <sup>&gt;1</sup>	16 obs.	9.1%
Other manuf.	(390)	0.77 <sup>a</sup>	1.42 <sup>&gt;1</sup>	32 obs.	18.3%

Notes: <sup>a</sup>: significant at the 1% level.

=1, &gt;1: Significant at the 1% level, and respectively equal and greater than one at the 5% level.

<sup>b</sup>: Breakpoint is *not* significant at the 10% level.

Italics denote industries that exhibit a piecewise HME

## 6. APPENDIX

### 6.1. Finite Elasticities: results from numerical methods

We want to find out the shape of the function  $S_N(S_L)$ . We start by solving system (1)-(8) for 3,645 ( $9^3 \cdot 5$ ) different sets of parameters values. Each set consists of different values assigned to the four parameters ( $\sigma, \gamma, \tau_A, \tau_M$ ). We have set  $\sigma$  equal to 3, 4, 5, 7, and 8.<sup>25</sup> For each of these values of sigma we let the other parameters take all possible combinations of values at intervals of 0.1 (nine values for each parameter). We then approximate the function  $S_N(S_L)$  for each of the 3,645 different set of parameter values. To approximate  $S_N(S_L)$  we use Chebyshev interpolation method. The distinguishing feature of this method is that the interpolation nodes are chosen according to an optimization criterion. We use Chebyshev as alternative to the more commonly used Lagrange interpolation which, instead, uses equidistant nodes. The efficiency of Chebyshev method greatly outperforms that of Lagrange (see Judd, 1998). In approximating the function  $S_N(S_L)$  our main preoccupation is not the precision of approximation. Rather, we are concerned with finding the shape of the unknown function in the most computationally parsimonious way. This is why we approximate the unknown function with the third-degree polynomial  $p(S_L) = \sum_{i=0}^3 c_i(S_L)^i$ .<sup>26</sup> The

coefficients of the polynomial give us the shape of the unknown function. The first derivative of the polynomial is  $p'(S_L) = c_1 + 2c_2S_L + 3c_3(S_L)^2$ , which attains its minimum at  $S_L = -\frac{1}{3}\frac{c_2}{c_3}$ . Replacing  $S_L = -\frac{1}{3}\frac{c_2}{c_3}$  in the first derivative gives  $c_1 - \frac{1}{3}\frac{(c_2)^2}{c_3}$ , which is the lowest possible value of the first derivative. The first derivative is indeed larger than one for any  $S_L$  if  $c_1 - \frac{1}{3}\frac{(c_2)^2}{c_3} > 1$ . Table 6 shows the value of  $c_1 - \frac{1}{3}\frac{(c_2)^2}{c_3}$  for a selection of sets of parameter values. These are  $\sigma = 7, \gamma = 0.3$  and all combinations of  $\tau_A$  and  $\tau_B$  at interval of 0.2. The table shows that  $c_1 - \frac{1}{3}\frac{(c_2)^2}{c_3}$  is larger than one for every simulation. Therefore, for every simulation, the function is increasing and its slope is larger than one in the entire incomplete specialization set.

The second derivative of the polynomial is  $p''(S_L) = 2c_2 + 6c_3S_L$ , which is positive, zero, or negative as  $S_L$  is larger, equal, or smaller than  $-\frac{1}{3}\frac{c_2}{c_3}$ . Thus, the function is concave (convex) for values of  $S_L$  smaller (larger) than  $-\frac{1}{3}\frac{c_2}{c_3}$  and it has an inflexion point at  $S_L = -\frac{1}{3}\frac{c_2}{c_3}$ . Table 7 shows the values of  $-\frac{1}{3}\frac{c_2}{c_3}$  resulting from the simulation for the same selection of parameter values as Table 6. The polynomial approximating the function  $S_N(S_L)$  has an inflexion point at  $S_L \simeq 1/2$ . It is concave for values of  $S_L < 1/2$  and it is convex for values of  $S_L > 1/2$ . This is the shape represented in Figure 1 of the main text. Naturally, the results in these two tables are representative of all the 3,645 simulations.

Figure 4 illustrates an actual simulation. The steepest straight line (dot-dashed) shows the function  $S_N(S_L)$  in the presence of an outside good and the flattest straight line (dashed) is the 45-degree line. The dotted line shows the function  $S_N(S_L)$  obtained from an ac-

<sup>25</sup>These values of sigma are often used in numerical explorations of this class of models and are comparable to those resulting from gravity equation estimations. For instance, Head and Ries (2001) find a sigma equal to 7.9, Baier and Bergstrand (2001) find it equal to 6.43, Head and Mayer (2005) find it equal to 8, Hanson (2005) finds it equal to 4.9, and Broda and Weinstein (2006) find it equal to 4 among three-digit goods.

<sup>26</sup>Naturally, one could use a polynomial of a higher degree. This would increase the precision of approximation but would not give further qualitative information about the shape of the function  $S_N(S_L)$ . We therefore stay with the most parsimonious way of obtaining the qualitative information.

Table 6: Least value of the first derivative:  $c_1 - \frac{1}{3} \frac{c_2^2}{c_3}$

$\sigma = 7, \gamma = 0.3$				
$\tau_A \backslash \tau_M$	0.2	0.4	0.6	0.8
0.2	1.000179	1.000575	1.00058	1.000514
0.4	1.000255	1.007405	1.031905	1.032113
0.6	1.000261	1.016159	1.180841	1.292781
0.8	1.000286	1.018227	1.078204	1.97720

Table 7: Inflexion point: values of  $S_L$  such that  $p''(S_L) = 0$

$\sigma = 7, \gamma = 0.3$				
$\tau_A \backslash \tau_M$	0.2	0.4	0.6	0.8
0.2	0.500000	0.500000	0.499997	0.500004
0.4	0.499994	0.500000	0.500000	0.500000
0.6	0.499995	0.500000	0.500001	0.500000
0.8	0.500007	0.500000	0.500000	0.500000

tual simulations (the parameter values are:  $\sigma = 7, \gamma = 3, \tau_A = 0.6, \tau_M = 0.8$ ). The solid straight line is a linear function whose slope at  $S_L = 1/2$  is the same as the slope of the function  $S_N(S_L)$ . The dotted curve and the solid line are almost indistinguishable. All simulations gave similar results, a barely visible curvature. Although barely visible, the curvature is present in all simulations as shown by the coefficient of the approximating polynomial. Interestingly, the empirical results have confirmed the tenuous non-linearity found in the numerical approximations. Plotting the production-demand relationship using estimated values of  $\alpha_1$  and  $\alpha_2$  gives a tenuous curvature similar to that of the dotted line in Figure 4.

## 6.2. Perfect substitutability in the CRS-PC good: analytical results

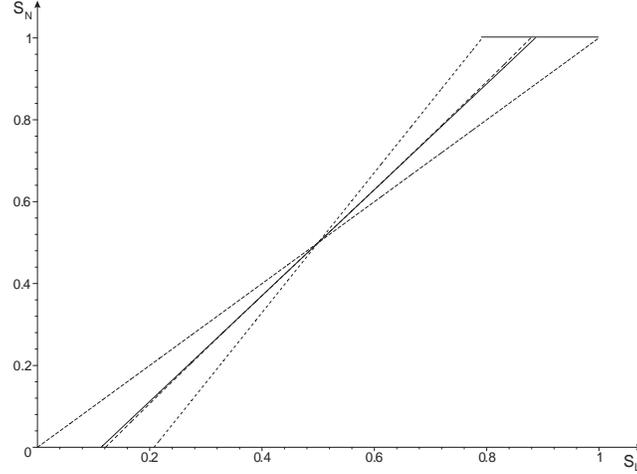
In this section we derive formally the results sketched in Figure 2. Most of these results do not appear in Davis (1998). To make notation lighter, and since confusion does not arise here, we drop the  $M$  subscript from  $\sigma_M$ . The elasticity  $\sigma_A$  equals infinity.

### 6.2.1. The piecewise relationship between production and demand.

Since good  $A$  is homogenous across countries, consumers have a single demand for good  $A$  instead of separate demands for each country's variety of  $A$ . This demand is:  $a_i = (1 - \gamma) Y_i / p_{Ai}$ , where  $p_{Ai}$  is the domestic price of  $A$ .<sup>27</sup>

<sup>27</sup>The subscript  $i$  to the  $A$  good now refers to the price or the output of that good in country  $i$  and not, as in the Armington model, to the price or quantity of the variety of  $A$  produced in country  $i$ .

Figure 4: Smoothly non-linear HME: Example of simulation



When there is trade in  $A$  we have the equation  $p_{A1} = \frac{1}{\tau_A} p_{A2}$  if country 1 is the importer of  $A$ ; alternatively, we have  $p_{A2} = \frac{1}{\tau_A} p_{A1}$  if country 1 is the exporter of  $A$ . Either one of these two equations, plus (1)-(5) and (7)-(8), determine the fifteen endogenous.

Assume that country 1 is the importer of  $A$ . Then,  $\frac{p_{A1}}{p_{A2}} = \frac{w_1}{w_2} = 1/\tau_A$ . From the solutions for  $n_1$  and  $n_2$  and rearranging we have:

$$S_{N(right)} = \frac{\phi_M^2 \tau_A^{\sigma+1} - \tau_A \phi_M + S_L (\tau_A^\sigma - \phi_M + \tau_A \phi_M - \phi_M^2 \tau_A^{\sigma+1})}{\tau_A^\sigma - \tau_A \phi_M - \phi_M \tau_A^{2\sigma} + \phi_M^2 \tau_A^{\sigma+1} + S_L (\tau_A \phi_M - \phi_M + \phi_M \tau_A^{2\sigma} - \phi_M \tau_A^{2\sigma-1} + \phi_M^2 \tau_A^{\sigma-1} - \phi_M^2 \tau_A^{\sigma+1})}$$

, for any  $S_L \in (\underline{S}_L, \overline{S}_L^{is})$ .

Assume, alternatively, that country 1 is the exporter of  $A$ . Then  $\frac{p_{A1}}{p_{A2}} = \frac{w_1}{w_2} = \tau_A$ . Solving the system for  $n_1$  and  $n_2$  and rearranging we have:

$$S_{N(left)} = - \frac{(-\tau_A^2 \phi_M + \tau_A \phi_M - \phi_M^2 \phi_A + \tau_A \phi_M) S_L + \phi_M^2 \phi_A - \tau_A \phi_M}{(\phi_M^2 \phi_A + \tau_A^2 \phi_M - \tau_A \phi_M - \tau_A^2 \phi_M^2 \phi_A + \tau_A \phi_M \phi_A^2 - \phi_M \phi_A^2) S_L - \phi_M^2 \phi_A - \tau_A \phi_A + \tau_A \phi_M + \phi_A^2 \phi_M}$$

for any  $S_L \in (\underline{S}_L^{is}, \underline{S}_L)$ .

It is easily verified that, if  $\tau_A = 1$ , then  $S_{N(right)} = S_{N(left)} = \frac{1}{2} + \frac{1+\phi_M}{1-\phi_M} (S_L - \frac{1}{2})$  exactly as in Helpman-Krugman (1985).

When there is no trade in  $A$ , domestic demand of  $A$  must be satisfied by domestic supply. The market equilibrium conditions for  $A$  are therefore:

$$A_1 = (1 - \gamma) L_1 \quad (14)$$

$$A_2 = (1 - \gamma) L_2 \quad (15)$$

Trade balance must clear within the IRS-MC good, therefore (by Walras' law), if any one of (4) and (5) is satisfied so is the other. The system composed of (1)-(4), plus (7)-(8) and (14)-(15) determines the fifteen endogenous. In particular, we have that  $S_N = S_L$ .

To sum up, we have the following piecewise relationship:

$$S_N = \begin{cases} S_{N(left)}, & \text{for any } S_L \in \left( \underline{S}_L^{is}, \underline{S}_L \right) \\ S_L, & \text{for any } S_L \in \left[ \underline{S}_L, \overline{S}_L \right] \\ S_{N(right)}, & \text{for any } S_L \in \left( \overline{S}_L, \overline{S}_L^{is} \right) \end{cases} \quad (16)$$

This is the expression plotted in Figure 2. The expressions for  $S_{A(right)}$  and  $S_{A(left)}$  are found analogously. We omit to report the resulting expressions for reason of space. To show the HME it suffices to take the derivatives of  $\frac{dS_{N(right)}}{dS_L}$  and  $\frac{dS_{N(left)}}{dS_L}$ . Proving that these derivatives are larger than 1 everywhere is a tedious exercise that we omit for reason of space. Plotting of the above expressions (like in Figure 2) gives the result at a glance (Figure 2 plots expression 16 for  $\sigma = 3$ ,  $\tau_A = 9.2$ , and  $\tau_M = 7$ ).

### 6.2.2. The set $(\underline{S}_L, \overline{S}_L)$ and the sufficient condition for trade in A.

The variable  $S_L$  takes the value  $\overline{S}_L$  when  $\frac{p_{A1}}{p_{A2}} (= \frac{w_1}{w_2})$  reaches the value  $1/\tau_A$ . Then, trade in A begins (country 1 starts importing A) and  $\frac{p_{A1}}{p_{A2}}$  does not increase any further. Analogously,  $S_L$  takes the value  $\underline{S}_L$  when the ratio  $\frac{p_{A1}}{p_{A2}}$  reaches value  $\tau_A$ . Then, trade in A begins (country 2 starts importing A) and  $\frac{p_{A1}}{p_{A2}}$  does not decrease any further. Substituting  $\frac{p_{A1}}{p_{A2}} = \frac{w_1}{w_2} = 1/\tau_A$  in (4) or (5) and solving for  $S_L$  gives:

$$\overline{S}_L = \frac{1 - \tau_A^\sigma \tau_M^{\sigma-1}}{\tau_A^{\sigma-1} (\tau_A - \tau_M^{\sigma-1}) + 1 - \tau_A^\sigma \tau_M^{\sigma-1}} \in \left[ \frac{1}{2}, 1 \right] \text{ if } \tau_A > \tau_M^{\frac{\sigma-1}{\sigma}}. \quad (17)$$

Analogously, substituting  $\frac{p_{A1}}{p_{A2}} = \tau_A$  in (4) or (5) and solving for  $S_L$  gives:

$$\underline{S}_L = 1 - \frac{1 - \tau_A^\sigma \tau_M^{\sigma-1}}{\tau_A^{\sigma-1} (\tau_A - \tau_M^{\sigma-1}) + 1 - \tau_A^\sigma \tau_M^{\sigma-1}} \in \left[ 0, \frac{1}{2} \right] \text{ if } \tau_A > \tau_M^{\frac{\sigma-1}{\sigma}}. \quad (18)$$

The strictly sufficient condition for trade in A to exist is easily found by solving the inequality  $\overline{S}_L < 1$  for  $\tau_A$ . This gives the condition:  $\tau_A > \tau_M^{\frac{\sigma-1}{\sigma}}$ , if this condition is satisfied then there is trade in A and the set  $(\underline{S}_L, \overline{S}_L)$  is a proper subset of  $(0, 1)$ . Naturally, solving  $\underline{S}_L > 0$  gives the same condition.

### 6.2.3. The incomplete specialization set.

Solving  $S_{N(right)} = 1$  for  $S_L$  gives us the upper bound of the incomplete specialization set. This is:

$$\overline{S}_L^{is} = \frac{\phi_M \tau_A^{1+\sigma} - \tau_A}{-\tau_A + \phi_M^2 - \phi_M \tau_A^\sigma + \phi_M \tau_A^{\sigma+1}} \in \left( \frac{1}{2}, 1 \right) \text{ if } \tau_A > \tau_M^{\frac{\sigma-1}{\sigma}}. \quad (19)$$

Analogously, solving  $S_{N(left)} = 0$  for  $S_L$  gives the lower bound. This is:

$$\underline{S}_L^{is} = 1 - \frac{\phi_M \tau_A^{1+\sigma} - \tau_A}{-\tau_A + \phi_M^2 - \phi_M \tau_A^\sigma + \phi_M \tau_A^{\sigma+1}} \in \left( 0, \frac{1}{2} \right) \text{ if } \tau_A > \tau_M^{\frac{\sigma-1}{\sigma}}. \quad (20)$$

It is easily checked that the incomplete specialization set coincides with the set  $[0, 1]$  when there is no trade in A. Also, it is easily verified that when  $\tau_A = 1$  we have  $\overline{S}_L^{is} = \frac{1}{1+\phi_M}$  and

$\underline{S}_L^{is} = \frac{\phi_M}{1+\phi_M}$  exactly as in Helpman and Krugman (1985, section 10.4).

### 6.3. Data appendix

Table 8: Data description

Annual data : 1990 - 1996			
Countries		Industries (ISIC - Revision 2)	
AUT	Austria	311	Food Products
CAN	Canada	313	Beverages
CHL	Chile	314	Tobacco
COL	Colombia	321	Textiles
CRI	Costa Rica	322	Wearing apparel, except footwear
DEU	Germany	323	Leather products
DNK	Denmark	324	Footwear, except rubber or plastic
ESP	Spain	331	Wood products, except furniture
FIN	Finland	341	Paper and products
FRA	France	342	Printing and publishing
GBR	United Kingdom	351	Industrial chemicals
IND	India	352	Other chemicals
ITA	Italy	353	Petroleum refineries
JPN	Japan	355	Rubber products
KOR	Korea, Rep.	356	Plastic products
MEX	Mexico	362	Glass and products
MYS	Malaysia	369	Other non-metallic mineral products
NLD	Netherlands	371	Iron and steel
PHL	Philippines	372	Non-ferrous metals
PRT	Portugal	381	Fabricated metal products
SWE	Sweden	382	Machinery, except electrical
TWN	Taiwan	383	Machinery, electric
USA	United States	384	Transport equipment
URY	Uruguay	385	Professional and scientific equipment
VEN	Venezuela	390	Other manufactured products

## References

- [1] Amiti M. (1998) "Inter-industry trade in manufactures: Does country size matter" *Journal of International Economics* 44: 231-255.
- [2] Andrews D.W.K. (1993) "Test for Parameter Instability and Structural Change with Unknown Change Point" *Econometrica* 61 (4):821-856.
- [3] Andrews D.W.K. (2003) "Test for Parameter Instability and Structural Change with Unknown Change Point: A Corrigendum", *Econometrica* 71 (1): 395-397.
- [4] Armington, P.S. (1969) "A theory of demand for products distinguished by place of production" *IMF Staff Papers* 16: 159-176.
- [5] Baier S.L. and J.H. Bergstrand (2001) "The Growth of World Trade: Tariffs, Transport Costs, and Income Similarity", *Journal of International Economics* 53(1):1-27.
- [6] Behrens K., A. Lamorgese, G.I.P. Ottaviano and T. Tabuchi (2004) "Testing the 'Home Market Effect' in a Multi-Country World: A Theory-Based Approach". CEPR Discussion Paper 4468.
- [7] Broda C. and D.E. Weinstein (2006) "Globalization and the Gains from Variety". *The Quarterly Journal of Economics* 121(2): 541-85.
- [8] Brühlhart M. and F. Trionfetti (2005) "A Test of Trade Theories when Expenditure is Home Biased" CEPR Discussion paper 5097.
- [9] Combes, P-P. M. Lafourcade and T. Mayer (2005) "The trade-creating effects of business and social networks: evidence from France" *Journal of International Economics* 66 (1): 1-29.
- [10] Davis, D.R. (1998) "The Home Market, Trade and Industrial Structure" *American Economic Review* 88: 1264-76.
- [11] Davis, D.R. and D.E. Weinstein (1999) "Economic Geography and Regional Production Structure: an empirical investigation" *European Economic Review* 43: 379-407.
- [12] Davis, D.R. and D.E. Weinstein (2003) "Market Access, Economic Geography and Comparative Advantage: an Empirical Test" *Journal of International Economics* 59: 1-23.
- [13] Eaton, J. and S. Kortum (2002) "Technology, Geography, and Trade" *Econometrica* 70 (5): 1741-79.
- [14] Feenstra, R. C., J. A. Markusen and A.K. Rose (2001) "Using the Gravity Equation to Differentiate Among Alternative Theories of Trade" *Canadian Journal of Economics* 34: 430-47.
- [15] Hanson H.G. (2005) "Market Potential, Increasing Returns, and Geographic Concentration" *Journal of International Economics* 67: 1-24.
- [16] Hanson, H.G. and C. Xiang (2004) "The Home Market Effect and Bilateral Trade Patterns" *American Economic Review* 94: 1108-1129.

- [17] Head, K. and T. Mayer (2004) "The Empirics of Agglomeration and Trade" CEPR Discussion Paper 3985 and also Ch. 59 in J.V. Henderson and J-F. Thisse (eds), *Handbook of Urban and Regional Economics*, Vol. 4. North Holland.
- [18] Head, K. and T. Mayer (2006) "Regional Wages and Employment Responses to Market Potential in the EU" *Regional Sciences and Urban Economics* 36(5):573-95.
- [19] Head, K., T. Mayer and J. Ries (2002) "On the Pervasiveness of the Home Market Effects" *Economica* 69: 371-90.
- [20] Head, K. and J. Ries (2001) "Increasing Returns Versus National Product Differentiation as an Explanation for the Pattern of US-Canada Trade" *American Economic Review* 91: 858-876.
- [21] Helpman, E. and P. Krugman (1985) *Market Structure and Foreign Trade*, MIT Press, USA.
- [22] Holmes, T. J. and J. J. Stevens (2005) "Does home market size matter for the pattern of trade?" *Journal of International Economics* 65: 489-505.
- [23] Judd K. (1998) "*Numerical Methods in Economics*" MIT Press.
- [24] Krugman, P.R. (1980) "Scale Economies, Product Differentiation, and the Pattern of Trade" *American Economic Review* 70: 950-9.
- [25] Lundbäck, E. and J. Torstensson (1998) "Demand Comparative Advantage And Economic Geography In International Trade: Evidence From The OECD" *Weltwirtschaftliche Archiv* 134: 230-49.
- [26] Mayer, T. and S. Zignago (2005) "Market Access in Global and Regional Trade" CEPII working Paper 2005-02.
- [27] Trionfetti, F. (2001) "Using Home-Biased Demand to Test for Trade Theories" *Weltwirtschaftliches Archiv* 137: 404-426.
- [28] Weder, R. (1995) "Linking Absolute and Comparative Advantage to Intra-industry Trade Theory" *Review of International Economics* 3(3):342-354.
- [29] Weder, R. (2003) "Comparative Home-Market Advantage: An Empirical Analysis of British and American Exports" *Weltwirtschaftliches Archiv* 139: 220-247.
- [30] Yu, Z. (2005) "Trade, Market Size, and Industrial Structure: the Home Market Effects Revisited" *Canadian Journal of Economics* 38(1):255-272.

---

**LIST OF WORKING PAPERS RELEASED BY CEPII<sup>1</sup>**

<i>No</i>	<i>Title</i>	<i>Authors</i>
2007-04	The Impact of Regulations on Agricultural Trade: Evidence from SPS and TBT Agreements	A.-C. Disdier, L. Fontagné & M. Mimouni
2007-03	International Comparisons of Living Standards by Equivalent Incomes	M. Fleurbaey & G. Gaulier
2007-02	Does Risk Aversion Drive Financial Crises? Testing the Predictive Power of Empirical Indicators	V. Coudert & M. Gex
2007-01	Asian Catch Up, World Growth and International Capital Flows in the XXIst Century : A Prospective Analysis with the INGENUE 2 Model	M. Aglietta, V. Borgy, J. Château, M. Juillard, J. Le Cacheux, G. Le Garrec & V. Touzé
2006-27	Current Account Reversals and Long Term Imbalances: Application to the Central and Eastern European Countries	K. Benhima & O. Havrylchuk
2006-26	On Legal Origins and Brankruptcy Laws: the European Experience (1808-1914)	J. Sgard
2006-25	Taux d'intérêt et marchés boursiers : une analyse empirique de l'intégration financière internationale	V. Borgy & V. Mignon
2006-24	Changing Patterns of Domestic and Cross-Border Fiscal Policy Multipliers in Europe and the US	A. Bénassy-Quéré & J. Cimadomo
2006-23	Market Access Impact on Individual Wage: Evidence from China	L. Hering & S. Poncet
2006-22	FDI in Chinese Cities: Spillovers and Impact on Growth	N. Madariaga & S. Poncet
2006-21	Taux d'intérêt et marchés boursiers : une analyse empirique de l'intégration financière internationale	V. Borgy & V. Mignon

---

<sup>1</sup> Working papers are circulated free of charge as far as stocks are available; thank you to send your request to CEPII, Sylvie Hurion, 9, rue Georges-Pitard, 75015 Paris, or by fax : (33) 01 53 68 55 04 or by e-mail [Hurion@cepii.fr](mailto:Hurion@cepii.fr). Also available on: [www.cepii.fr](http://www.cepii.fr). Working papers with \* are out of print. They can nevertheless be consulted and downloaded from this website.

<sup>1</sup> Les documents de travail sont diffusés gratuitement sur demande dans la mesure des stocks disponibles. Merci d'adresser votre demande au CEPII, Sylvie Hurion, 9, rue Georges-Pitard, 75015 Paris, ou par fax : (33) 01 53 68 55 04 ou par e-mail [Hurion@cepii.fr](mailto:Hurion@cepii.fr). Egalement disponibles sur : [www.cepii.fr](http://www.cepii.fr). Les documents de travail comportant \* sont épuisés. Ils sont toutefois consultable sur le web CEPII.

<b>2006-20</b>	World Consistent Equilibrium Exchange Rates	A. Bénassy-Quéré, A. Lahrière-Révil & V. Mignon
<b>2006-19</b>	Institutions and Bilateral Asset Holdings	V. Salins & A. Bénassy-Quéré
<b>2006-18</b>	Vertical Production Networks: Evidence from France	M. Fouquin, L. Nayman & L. Wagner
<b>2006-17</b>	Import Prices, Variety and the Extensive Margin of Trade	G. Gaulier & I. Méjean
<b>2006-16</b>	The Long Term Growth Prospects of the World Economy: Horizon 2050	S. Poncet
<b>2006-15</b>	Economic Integration in Asia: Bilateral Free Trade Agreements Versus Asian Single Market	M. H. Bchir & M. Fouquin
<b>2006-14</b>	Foreign Direct Investment in China: Reward or Remedy?	O. Havrylchuk & S. Poncet
<b>2006-13</b>	Short-Term Fiscal Spillovers in a Monetary Union	A. Bénassy-Quéré
<b>2006-12</b>	Can Firms' Location Decisions Counteract the Balassa-Samuelson Effect?	I. Méjean
<b>2006-11</b>	Who's Afraid of Tax Competition? Harmless Tax Competition from the New European Member States	A. Lahrière-Révil
<b>2006-10</b>	A Quantitative Assessment of the Outcome of the Doha Development Agenda	Y. Decreux & L. Fontagné
<b>2006-09</b>	Disparities in Pension Financing in Europe: Economic and Financial Consequences	J. Château & X. Chojnicki
<b>2006-08</b>	Base de données CHELEM-BAL du CEPII	H. Boumellassa & D. Únal-Kesenci
<b>2006-07</b>	Deindustrialisation and the Fear of Relocations in the Industry	H. Boulhol & L. Fontagné
<b>2006-06</b>	A Dynamic Perspective for the Reform of the Stability and Growth Pact	C. Deubner
<b>2006-05</b>	China's Emergence and the Reorganisation of Trade Flows in Asia	G. Gaulier, F. Lemoine & D. Únal-Kesenci
<b>2006-04</b>	Who Pays China's Bank Restructuring Bill?	G. Ma

**CEPII**  
**DOCUMENTS DE TRAVAIL / WORKING PAPERS**

Si vous souhaitez recevoir des Documents de travail,  
merci de remplir le coupon-réponse ci-joint et de le retourner à :

*Should you wish to receive copies of the CEPII's Working papers,  
just fill the reply card and return it to:*

Sylvie HURION – Publications  
CEPII – 9, rue Georges-Pitard – 75740 Paris – Fax : (33) 1.53.68.55.04  
sylvie.hurion@cepii.fr

---

M./Mme / Mr./Mrs .....

Nom-Prénom / Name-First name .....

Titre / Title .....

Service / Department.....

Organisme / Organisation .....

Adresse / Address.....

Ville & CP / City & post code.....

Pays / Country ..... Tél.....

Your e-mail .....

Désire recevoir les **Document de travail** du CEPII n° :

*Wish to receive the **CEPII's Working Papers** No: .....*

.....

.....

.....

.....

.....

.....

.....

Souhaite être placé sur la liste de diffusion permanente (**pour les bibliothèques**)  
*Wish to be placed on the standing mailing list (**for Libraries**).*